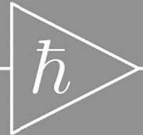


# Novel Cryogenic Device Approaches for Superconducting Quantum Computing

**José Aumentado**

Advanced Microwave Photonics Group, Division 686

NIST Boulder



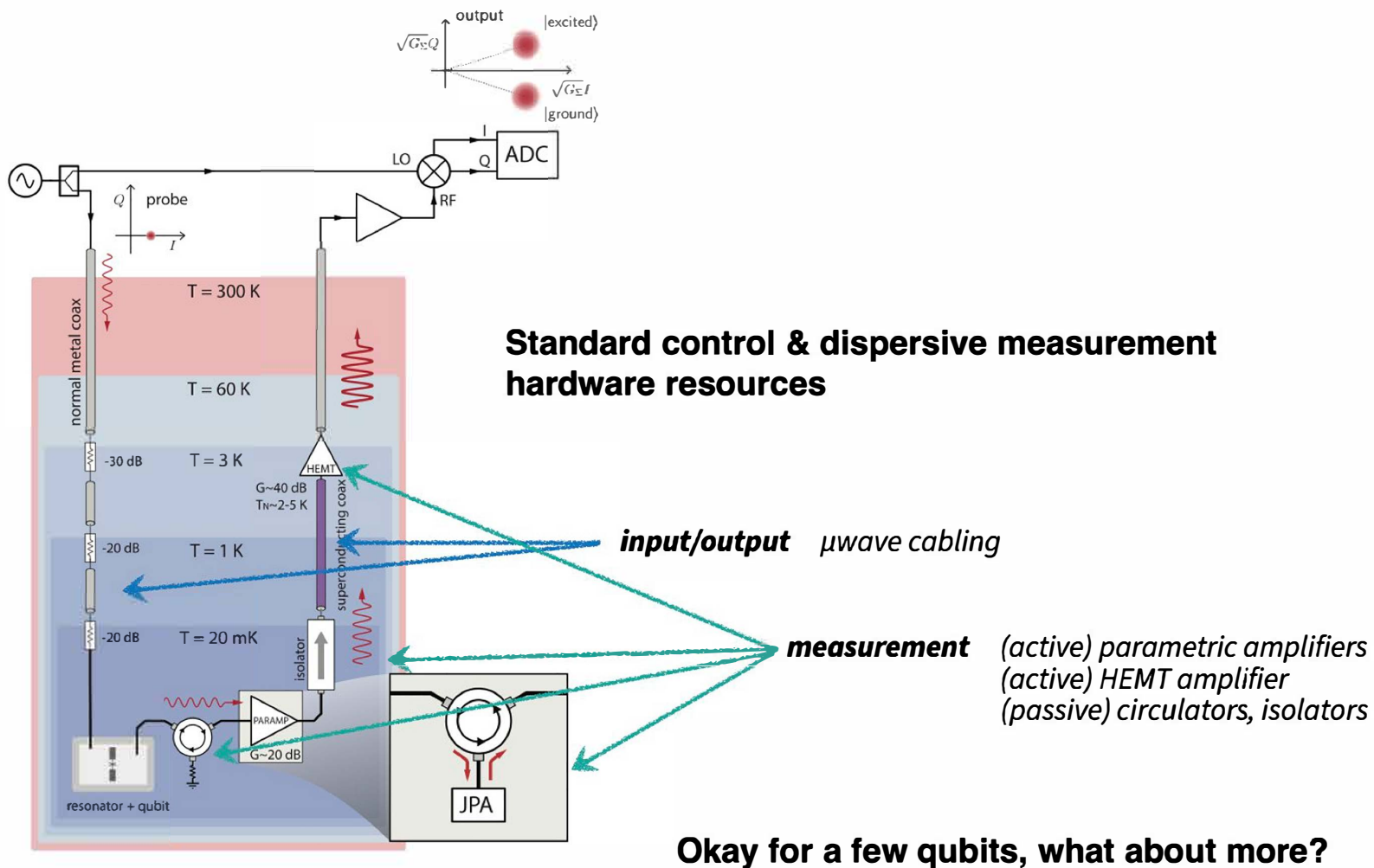
**PIs:** JAA, R. Simmonds, & J. Teufel

**Postdocs & Research Associates:** Florent Lecocq, Leonardo Ranzani (*now at Raytheon BBN*), Kat Cicak, Bastien Dassonneville, Bradley Hauer, Xiaoyue Jin, Taewan Noh, Shlomi Kotler (*now at Hebrew University*)

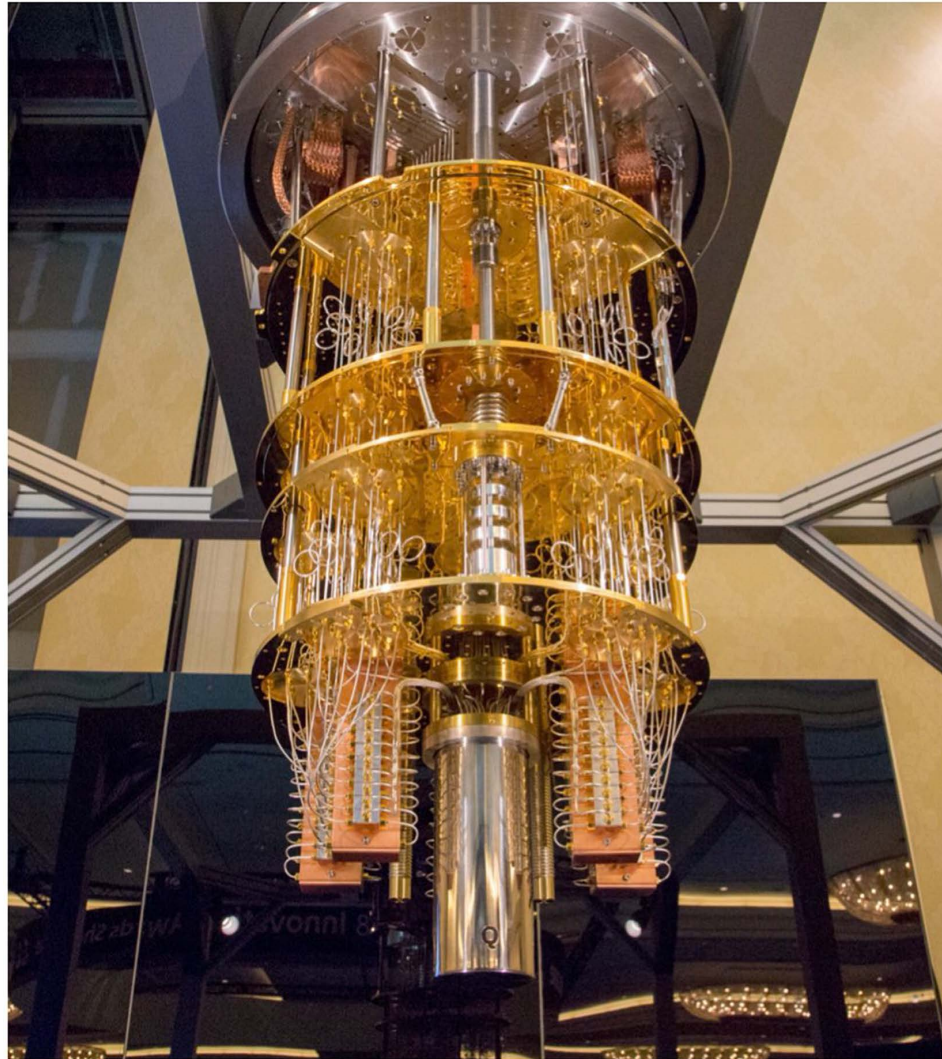
**Students:** Gabriel Peterson (*now at PsiQuantum*), Benton Miller

ASC 2020: Wk2EOr3A

**What are these “novel cryogenic devices” you’re talking about  
and why do we need them?**



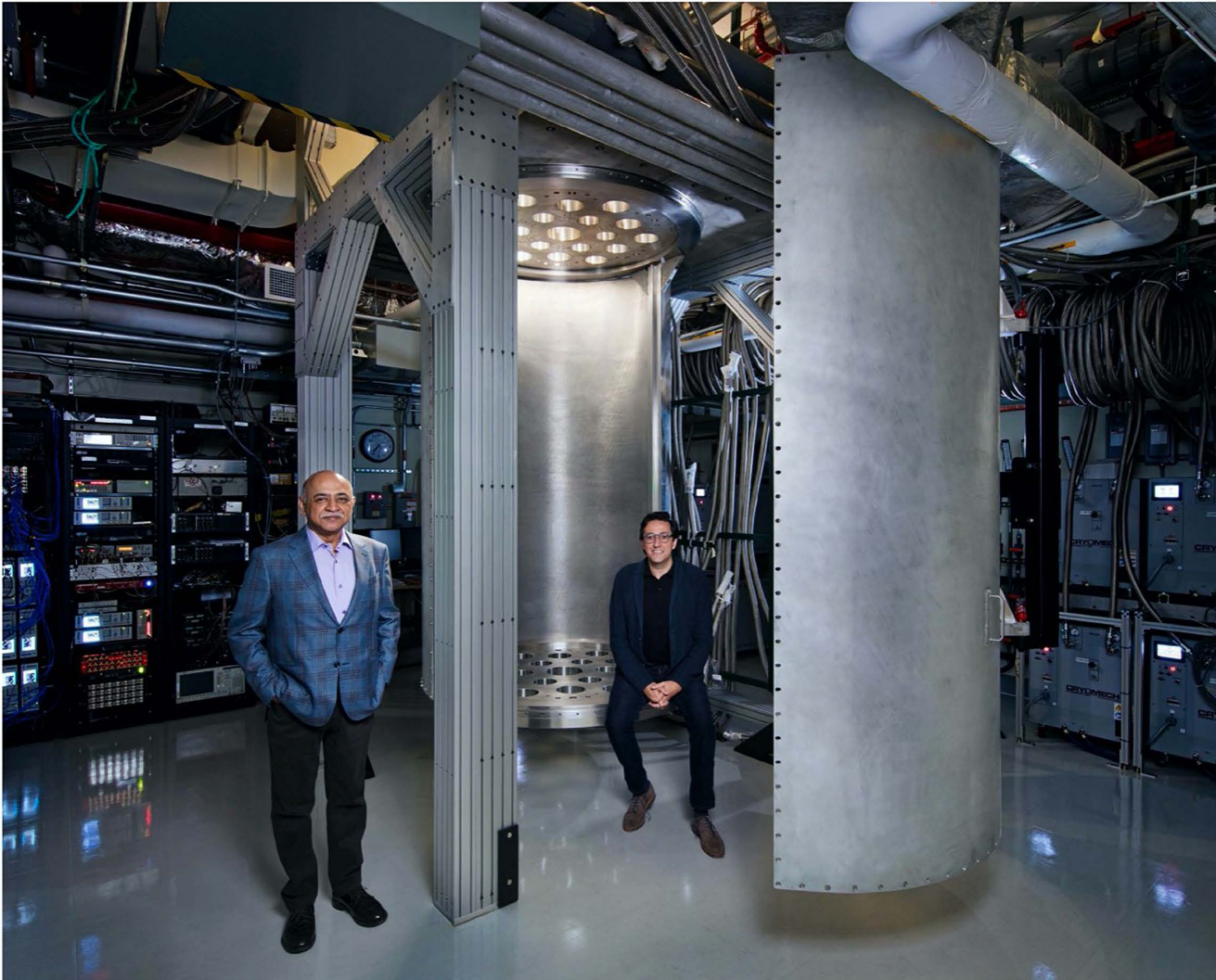
JAA, IEEE Microwave Magazine **21**, 45-59 (2020)



**NEAR TERM  
= brute force**

**~50 qubits**

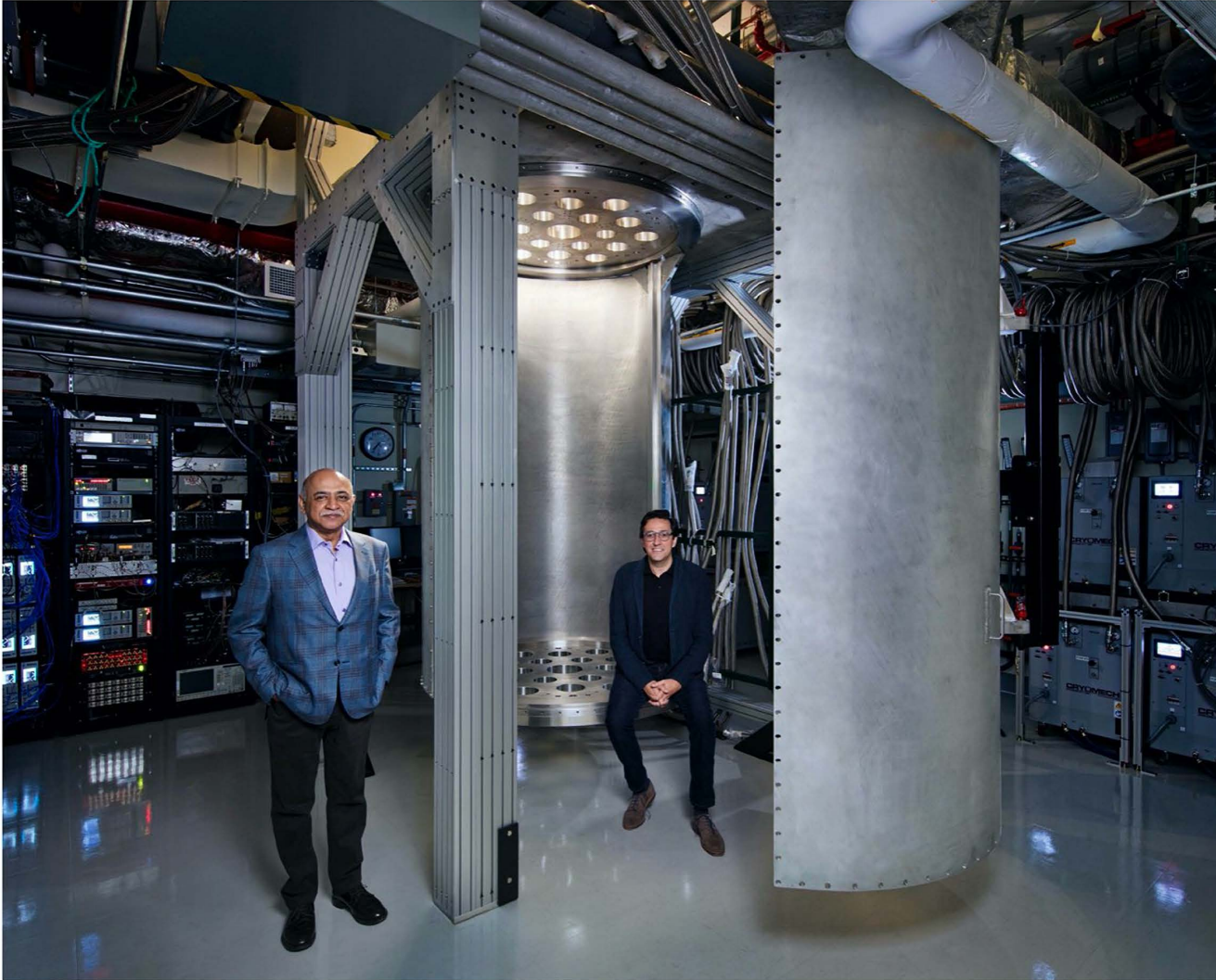
*IBM*



**NEAR TERM  
= brute force**

**1000+ qubits!**

*IBM*

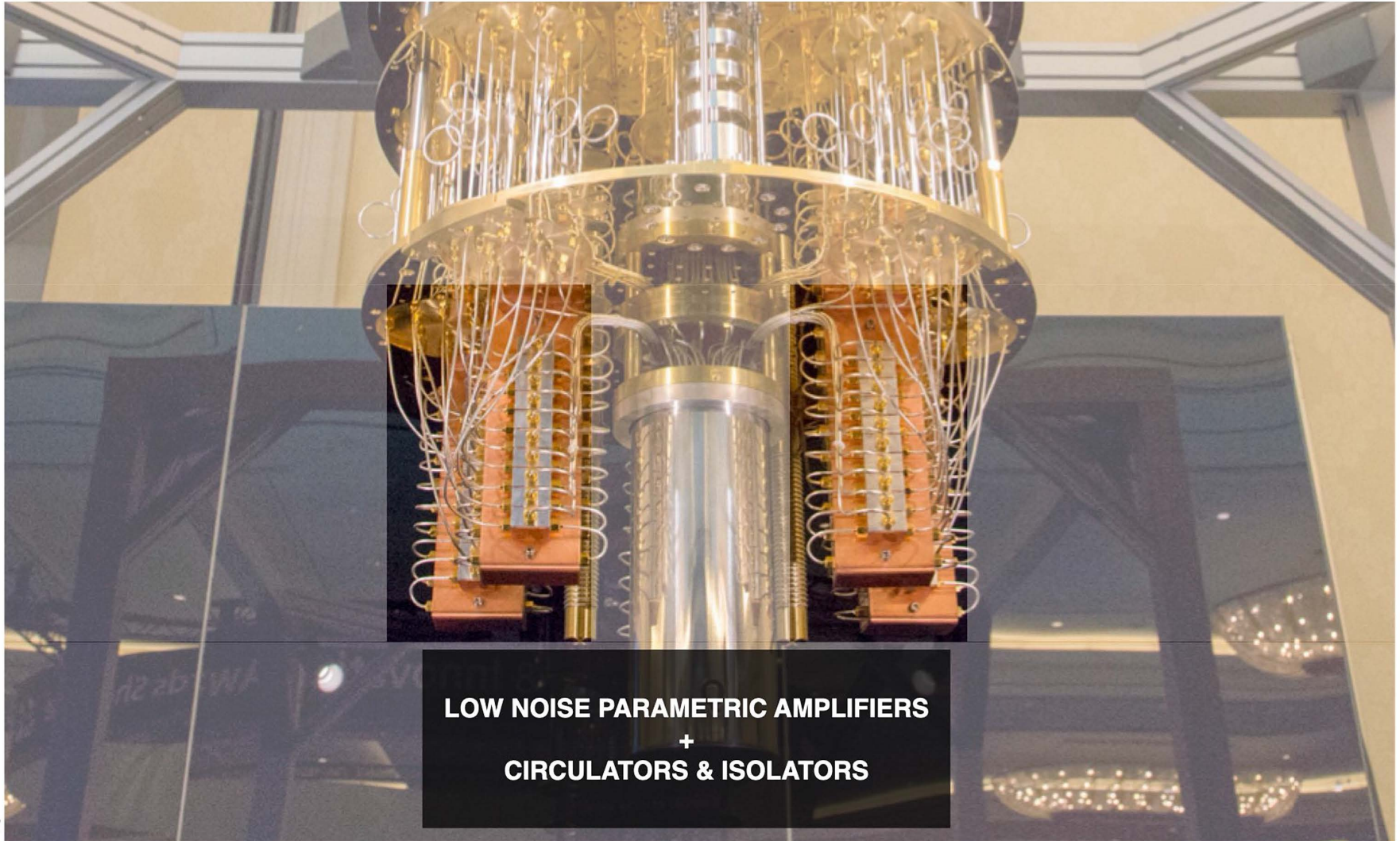


IBM

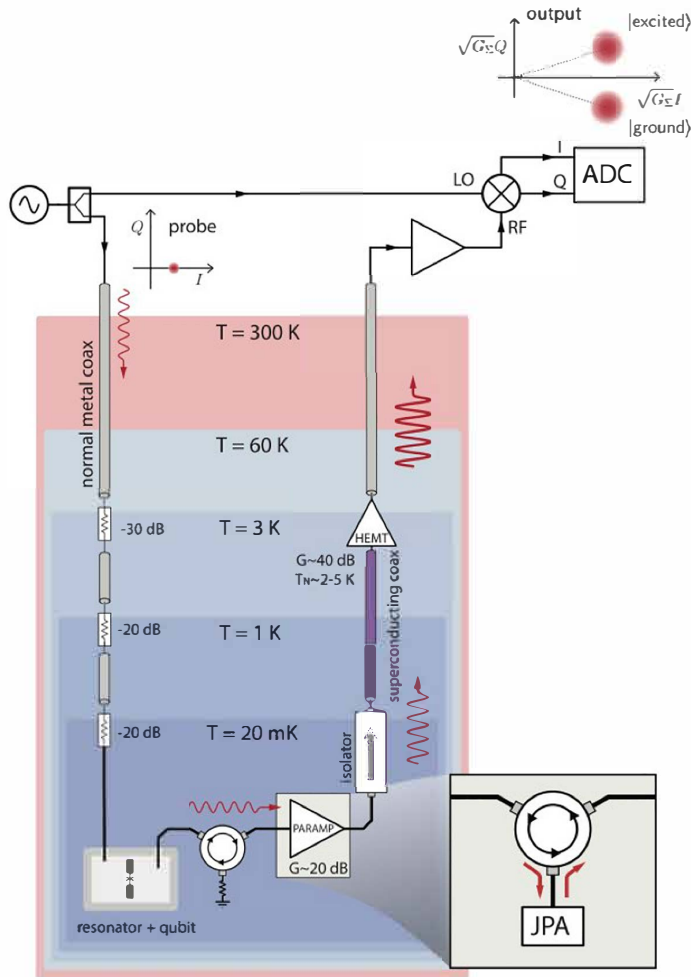
**NEAR TERM  
= brute force**

**1000+ qubits!**

**1e6 qubits?**

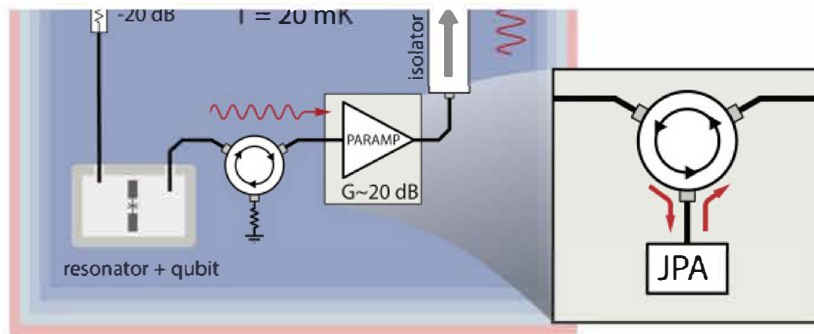


IBM



JAA, *IEEE Microwave Magazine* **21**, 45-59 (2020)





**Replace as much as we can with compact superconducting circuits**

**'novel cryogenic device' = *directional parametric circulators and amplifiers***

## why parametric amplifiers?

**LOW NOISE** \*relative to a cryogenic HEMT

*intrinsic amplifier added noise is bounded by quantum mechanics*  
 SQL = 'Standard Quantum Limit'

$$T_{N,\text{sys}}^{\text{SQL}} @ 6\text{GHz} = 144 \text{ mK} \quad \text{vs} \quad T_{N,\text{sys}}^{\text{HEMT}} = 3 - 10 \text{ K}$$

*low power dissipation, can be operated close to qubits @ mixing chamber*

**allows qubit state measurement to happen in less than  $\mu\text{s}$  with high fidelity**

**Example:**

*Quantum jumps in a transmon qubit,*  
 R Vijay, DH Slichter, & I Siddiqi  
 Phys. Rev. Lett. **106**, 110502 (2011)

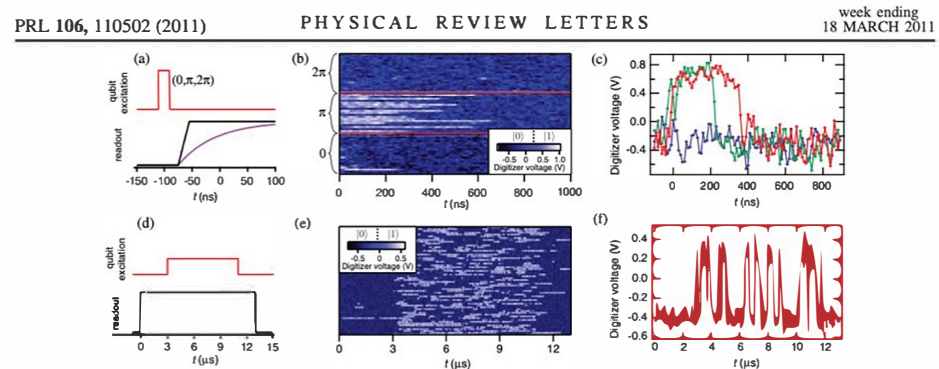


FIG. 3 (color online). Quantum jumps. (a) shows the pulse sequence used to generate (b) and (c). The qubit is excited with a pulse of

## “Conventional” parametric amplification

**reflection parametric amplifiers (‘negative resistance’)** e.g., *JPA*s, *JPC*s, *FPJA*s,...

*PROS*: best (lowest) noise

*CONS*: limited dynamic range (-120 dBm) and bandwidth (10-100 MHz typical)

*See review, JAA, IEEE Microwave Magazine* **21**, 45-59 (2020)

## “Conventional” parametric amplification

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**traveling wave parametric amplifiers** e.g., *J-TWPA*s, *KIT*s, ...

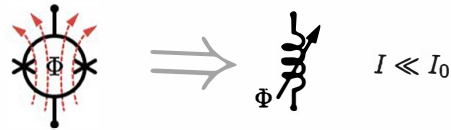
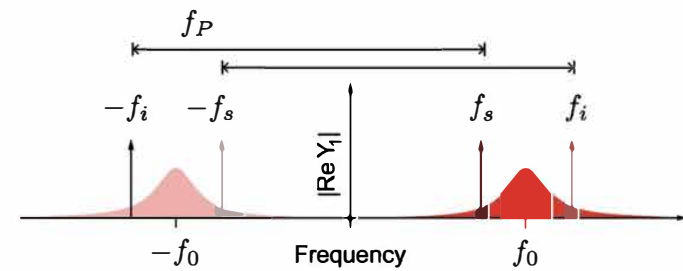
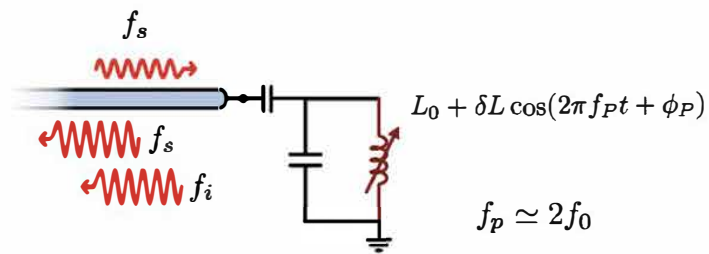
*PROS*: broadband (GHz BW), higher dynamic range

*CONS*: requires more power, isolation/filtering, bias tees, direction couplers,  
*noise 2-4x worse than JPAs*

*See review, JAA, IEEE Microwave Magazine 21, 45-59 (2020)*

## “Conventional” parametric amplification

reflection parametric amplifiers (‘negative resistance’) e.g., *JPA*s, *JPC*s, *FPJA*s,...

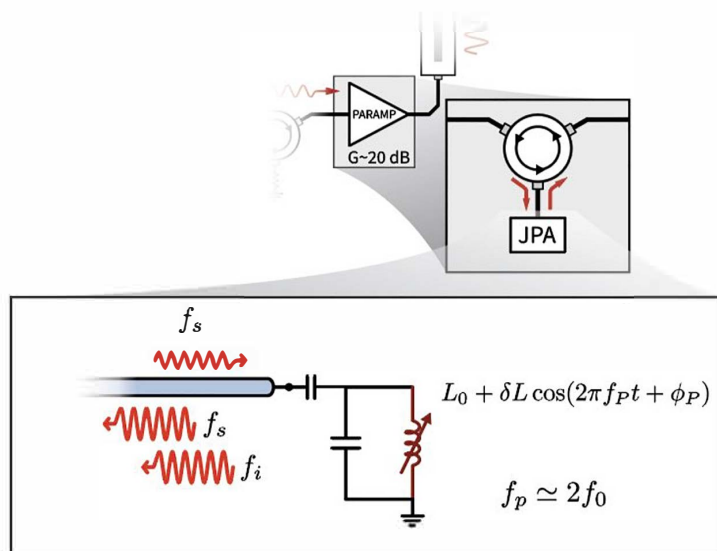


$$L_{SQ}(I, \Phi) = \frac{L_J(I)}{2 \cos(\pi \Phi / \Phi_0)}$$

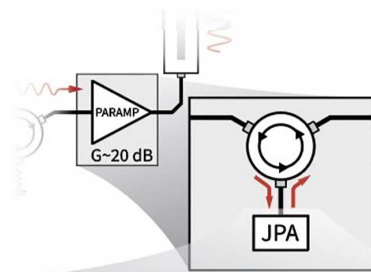
see review, *JAA, IEEE Microwave Magazine* **21**, 45 (2020)

## “Conventional” parametric amplification

reflection parametric amplifiers (‘negative resistance’) e.g., *JPA*s, *JPC*s, *FPJA*s,...

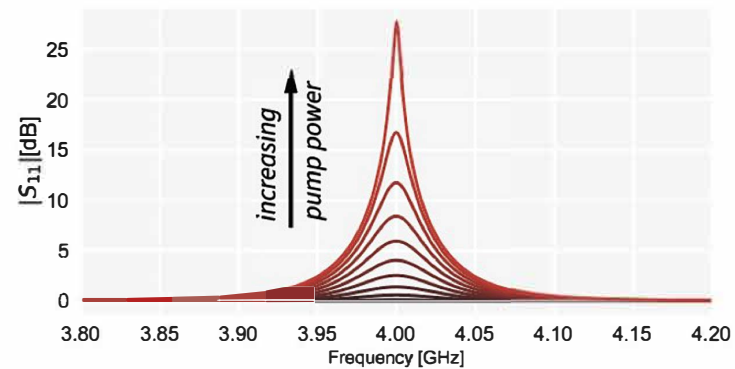


**degenerate parametric amplifier**  
e.g., Josephson parametric amplifiers (JPAs)



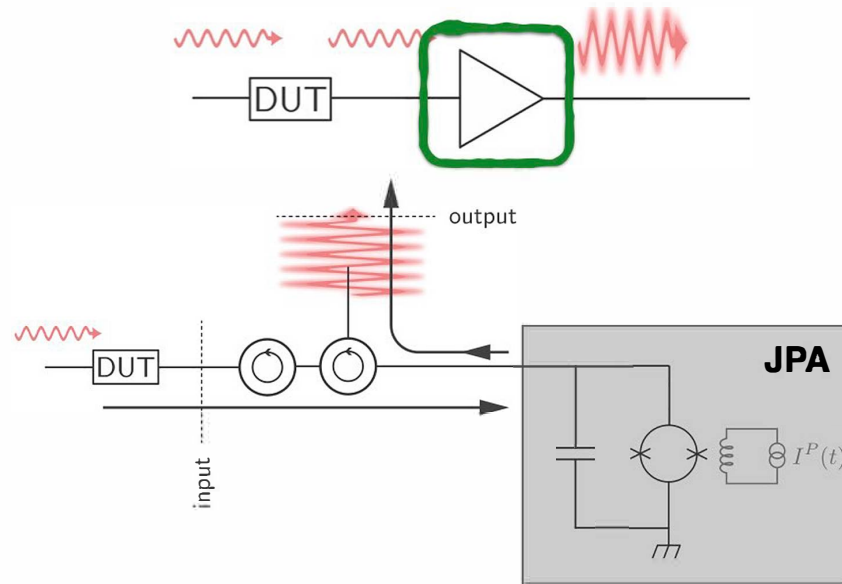
## single port device

requires circulators to isolate device-under-test

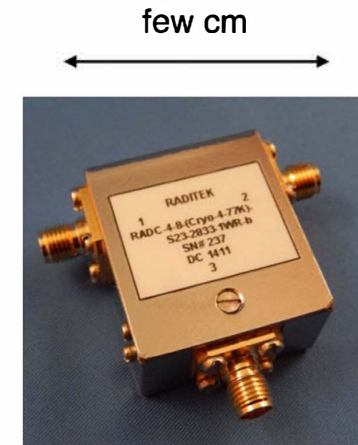
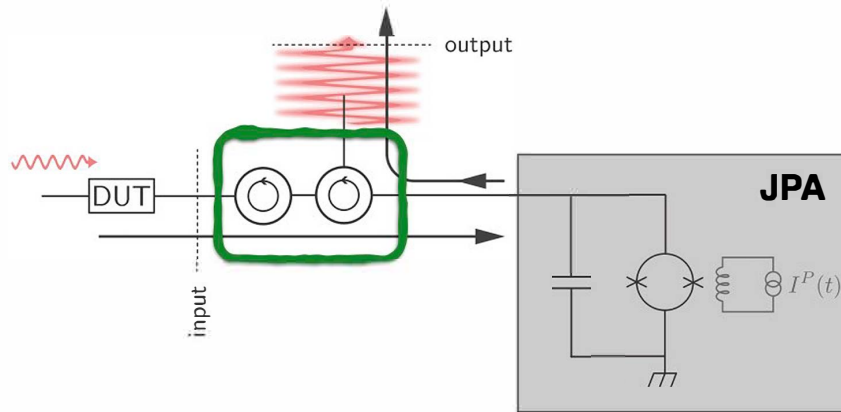


See review, *JAA*, *IEEE Microwave Magazine* **21**, 45-59 (2020)

## Practical Issues Circulators



## Practical Issues Circulators, size, & magnetic field

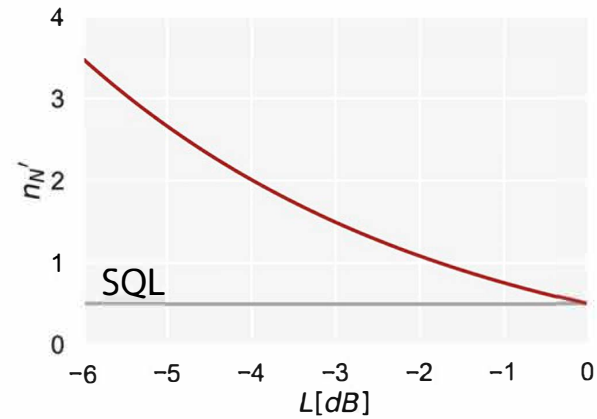
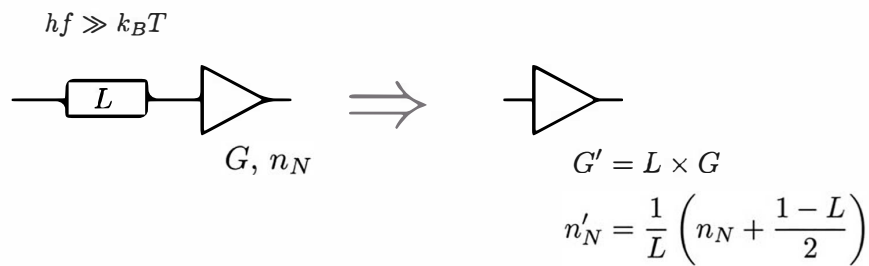


Practical cryogenic circulators are big and require big (kGauss) magnetic fields.

**Hard to integrate closely with superconducting circuits.**

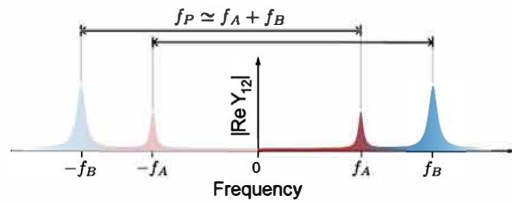
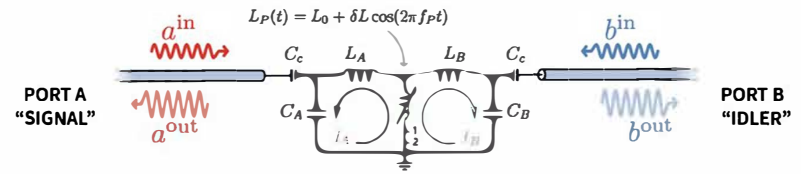


## Practical Issues Circulators & Loss

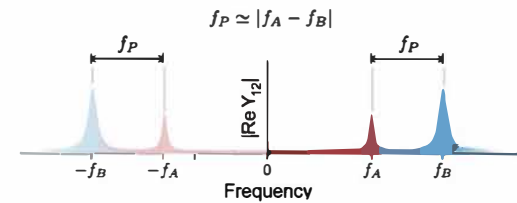


extra stuff [packaging, bias tees, connectors, couplers, circulators]  
= loss = reduced noise performance/quantum efficiency

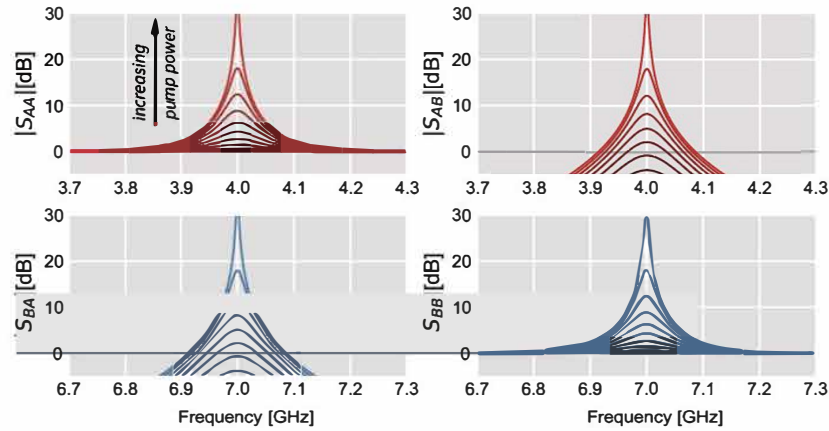
## General 2-resonator/2-port parametric circuit



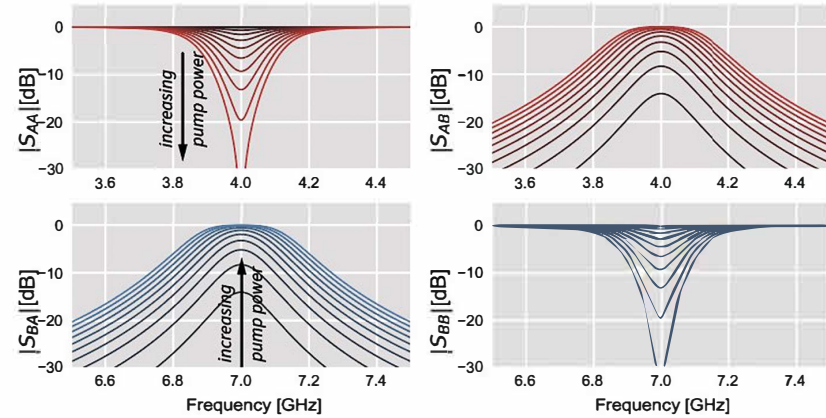
$$\begin{bmatrix} a^{\text{out}} \\ b^{\text{out}} \end{bmatrix} = \begin{bmatrix} S_{AA} & S_{AB} \\ S_{BA} & S_{BB} \end{bmatrix} \begin{bmatrix} a^{\text{in}} \\ b^{\text{in}} \end{bmatrix}$$



### AMPLIFIER



### FREQUENCY CONVERTER

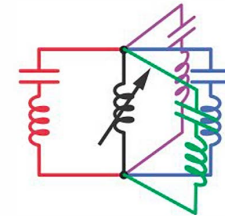
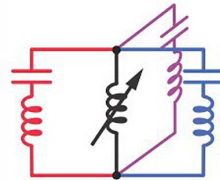
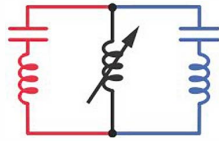


\* See also: Josephson Parametric Converter (JPC), e.g., Bergeal, N., et al. *Nature Physics* **6**, 296 (2010)

### 3+ modes?

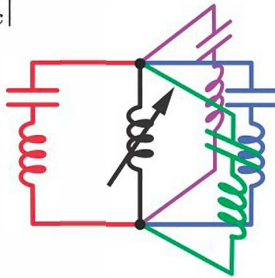
**2 modes:** amplification & frequency conversion, but *not* directional

**3+ modes:** combine *multiple* amplification & freq. conversion processes for directionality

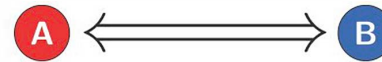


## Graphs & Parametrically Coupled Modes

$$\omega_{jk}^P \equiv |\omega_j - \omega_k|$$

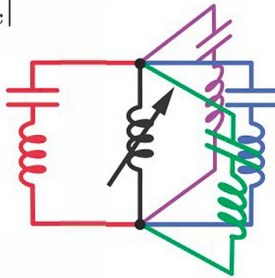


$$M(t) = M_0 + \delta M_{AB} \cos(\omega_{AB}^P t + \phi_{AB})$$

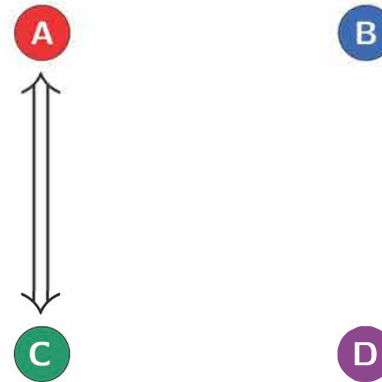


## Graphs & Parametrically Coupled Modes

$$\omega_{jk}^P \equiv |\omega_j - \omega_k|$$

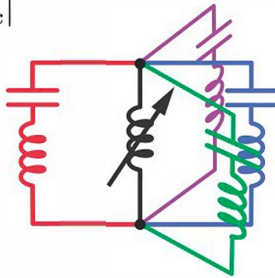


$$M(t) = M_0 + \delta M_{AC} \cos(\omega_{AC}^P t + \phi_{AC})$$

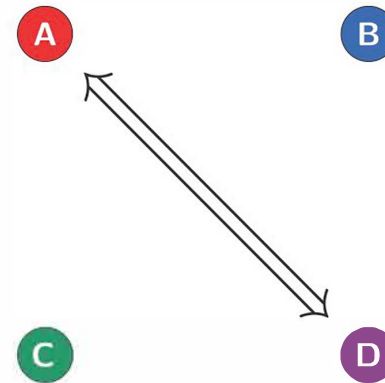


## Graphs & Parametrically Coupled Modes

$$\omega_{jk}^P \equiv |\omega_j - \omega_k|$$

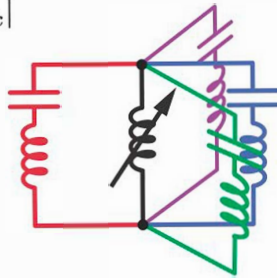


$$M(t) = M_0 + \delta M_{AD} \cos(\omega_{AD}^P t + \phi_{AD})$$



## Graphs & Parametrically Coupled Modes

$$\omega_{jk}^P \equiv |\omega_j - \omega_k|$$

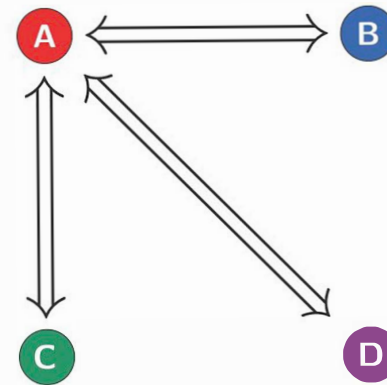


$$M(t) = M_0 +$$

$$\delta M_{AB} \cos(\omega_{AB}^P t + \phi_{AB})$$

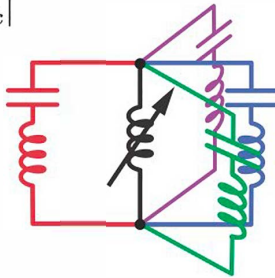
$$\delta M_{AC} \cos(\omega_{AC}^P t + \phi_{AC})$$

$$\delta M_{AD} \cos(\omega_{AD}^P t + \phi_{AD})$$



## Graphs & Parametrically Coupled Modes

$$\omega_{jk}^P \equiv |\omega_j - \omega_k|$$



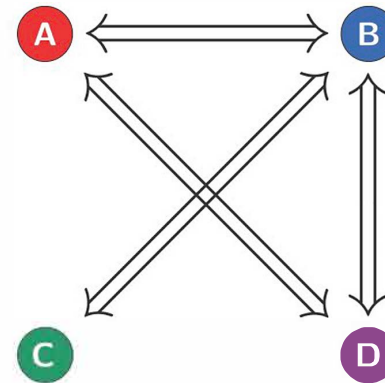
$$M(t) = M_0 +$$

$$\delta M_{AB} \cos(\omega_{AB}^P t + \phi_{AB})$$

$$\delta M_{BC} \cos(\omega_{BC}^P t + \phi_{BC})$$

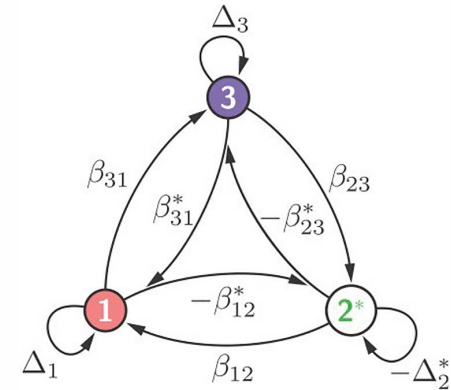
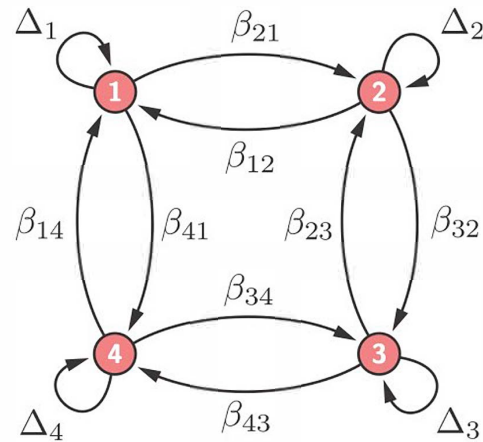
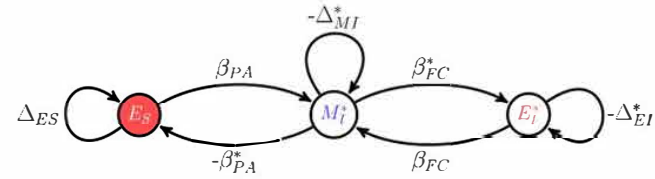
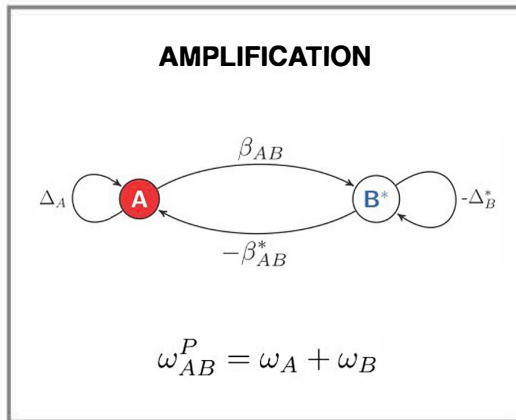
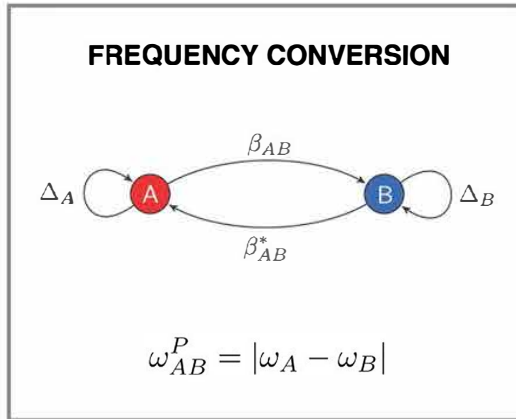
$$\delta M_{BD} \cos(\omega_{AD}^P t + \phi_{BD})$$

$$\delta M_{AD} \cos(\omega_{AD}^P t + \phi_{AD})$$



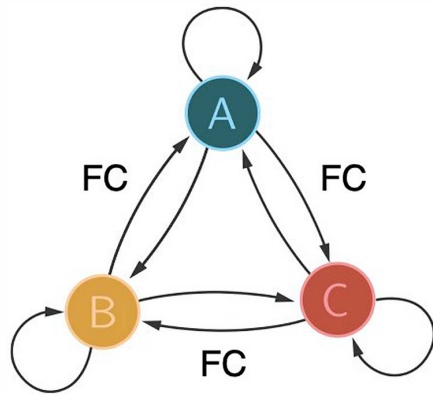


## Multi-mode Graphs

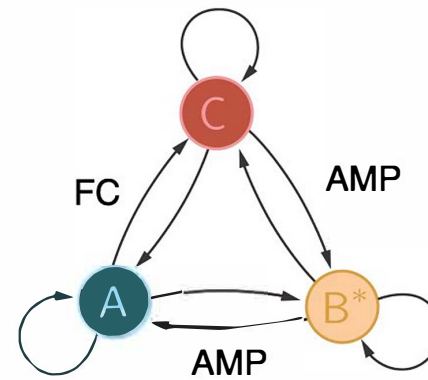


see Ranzani & JA, *New J. Phys.* **17**, 023024 (2015)

## Graphs + Scattering + Directionality



“Delta Circulator”



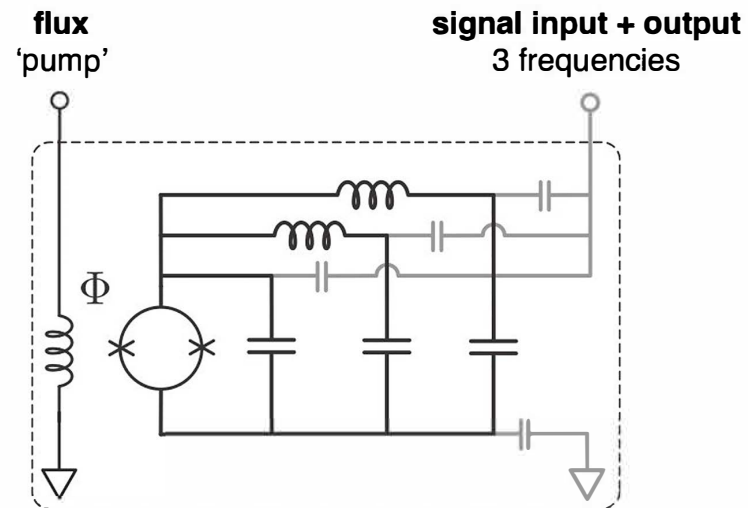
“Delta Amplifier”

**realize by building a 3-resonator circuit**

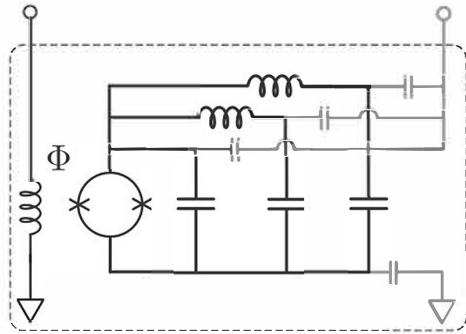
*see Ranzani & JA, New J. Phys. **17**, 023024 (2015)*

## Build Circuit Schematic

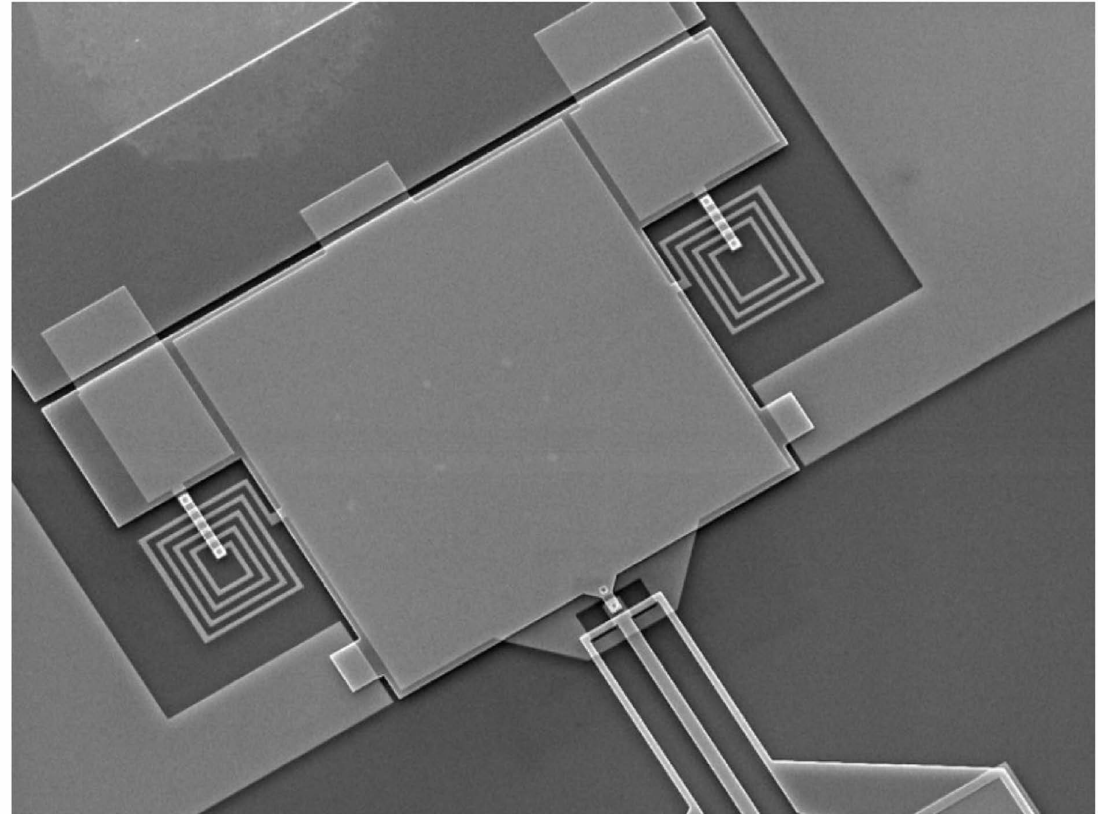
$$L_{SQ}(t) = \frac{L_{J0}}{|\cos(2\pi\Phi(t)/\Phi_0)|}$$



## Build fabricated circuit

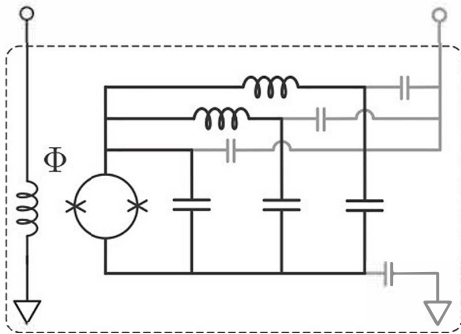


- NIST Nb tri-layer junctions
- Nb wiring
- $\alpha$ -Si,  $\tan \delta \sim 10^{-4}$
- SQUID  $I_c \sim 10 \mu\text{A}$

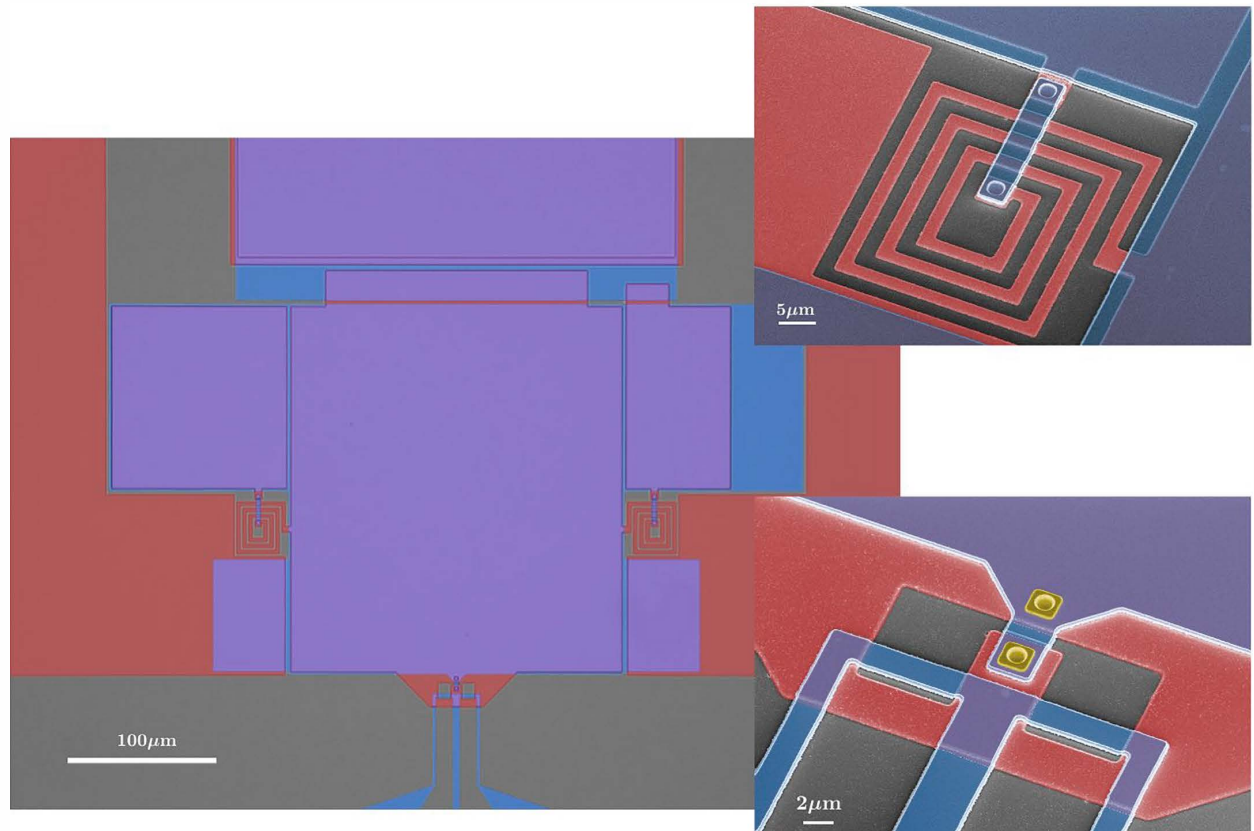


see F. Lecocq, ..., JAA, Phys. Rev. Applied 7, 024028

## Build Fabricated Circuit

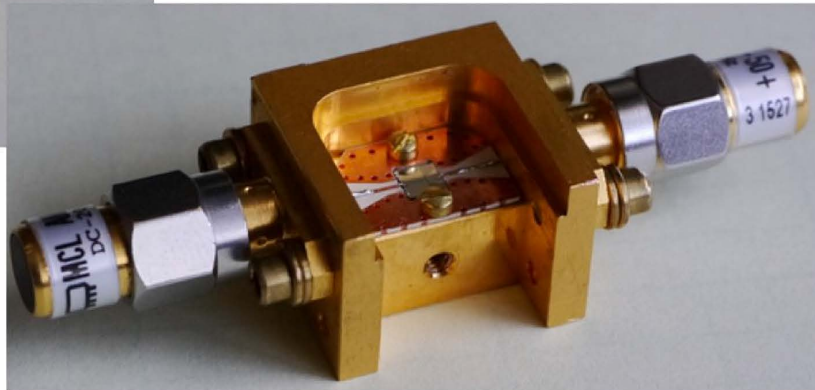


- NIST Nb tri-layer junctions
- Nb wiring
- $\alpha$ -Si,  $\tan \delta \sim 10^{-4}$
- SQUID  $I_c \sim 10 \mu\text{A}$



see F. Lecocq, ..., JAA, Phys. Rev. Applied 7, 024028

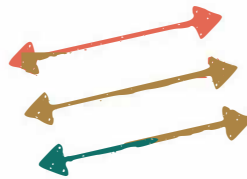
## Build Packaging



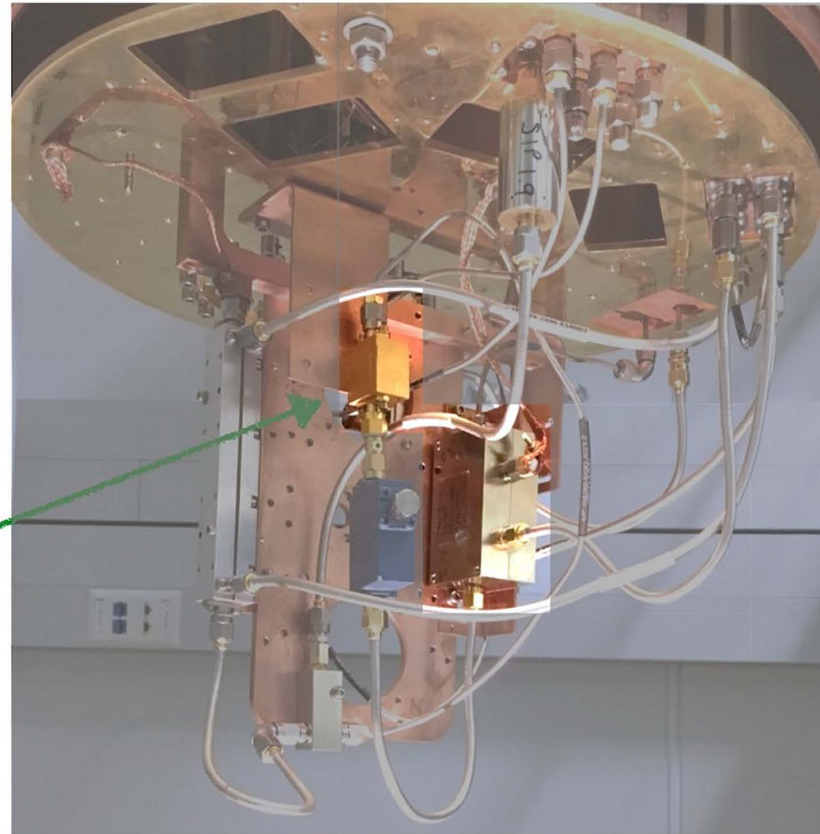
**FLUX PUMP**



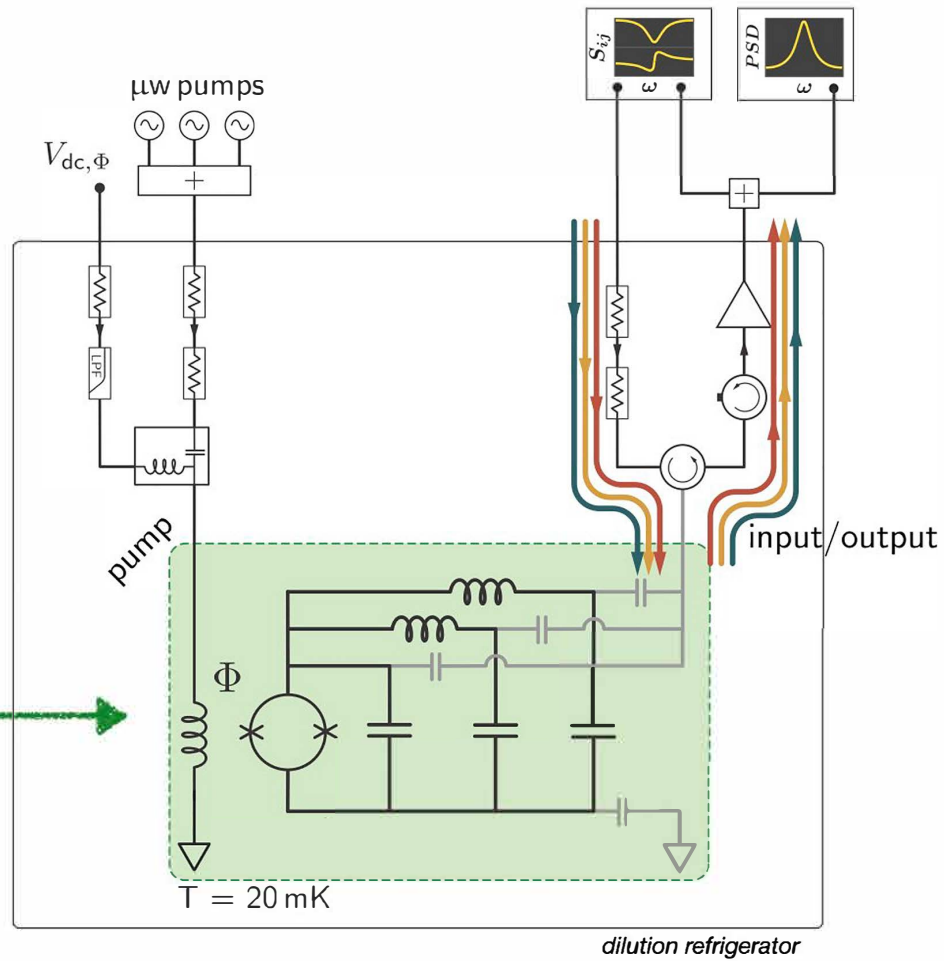
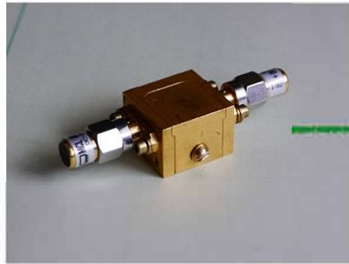
**INPUT/OUTPUT  
A, B, C modes**



## Setup

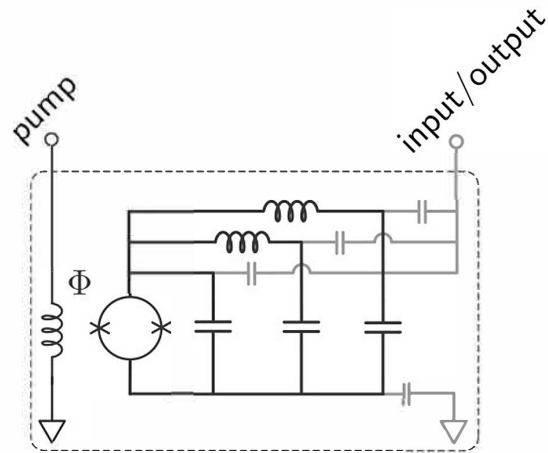


## Setup



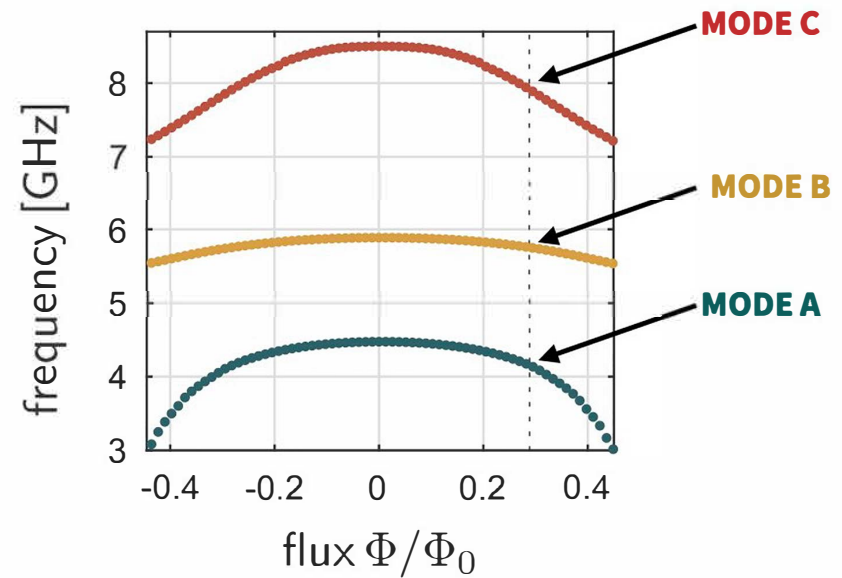


## Data Flux Modulation

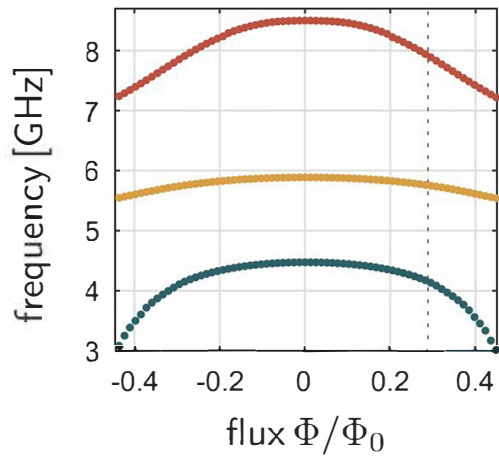
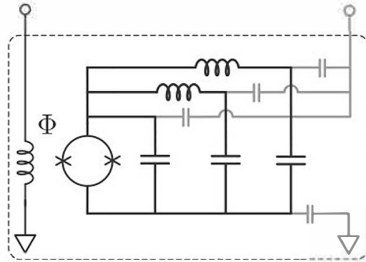


Mode $k$	$\omega_k/2\pi$ [GHz]	$\gamma_k/2\pi$ [MHz]	$\gamma_k^{in}/2\pi$ [MHz]
A	4.155	29.8	1.4
B	5.756	29.5	1.2
C	7.915	59.3	2.4

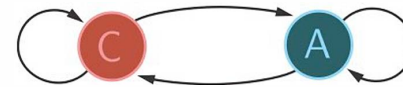
$$g_{jk} \propto \sqrt{\frac{\partial \omega_j}{\partial \Phi} \frac{\partial \omega_k}{\partial \Phi}}$$



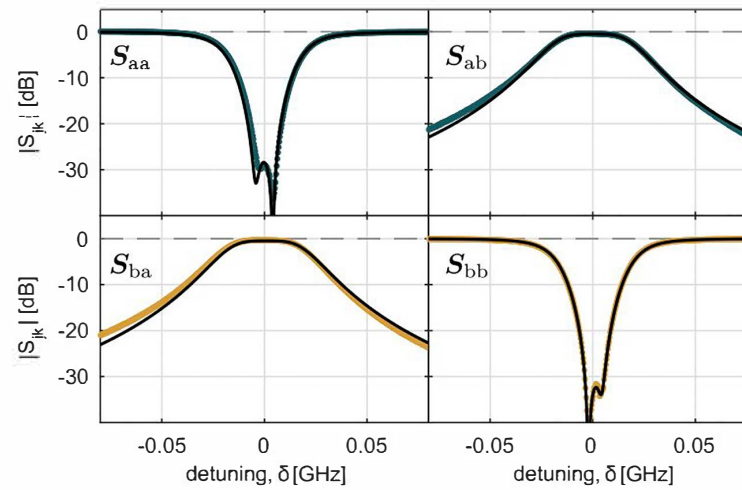
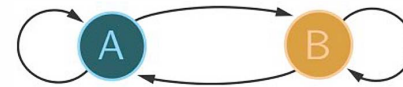
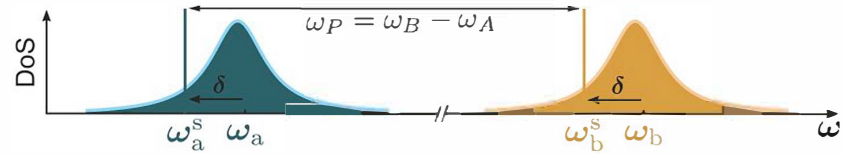
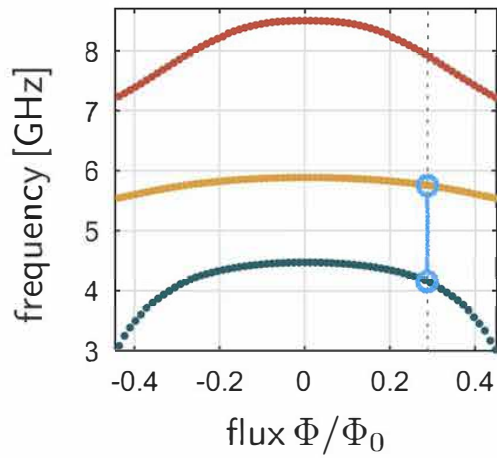
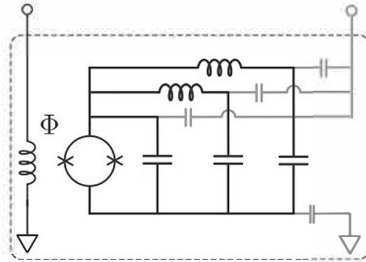
## Data 2-mode Frequency Conversion



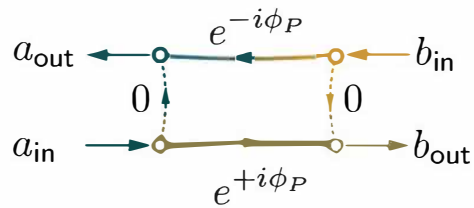
$$\omega_P \simeq |\omega_j - \omega_k|$$



## Data 2-mode Frequency Conversion

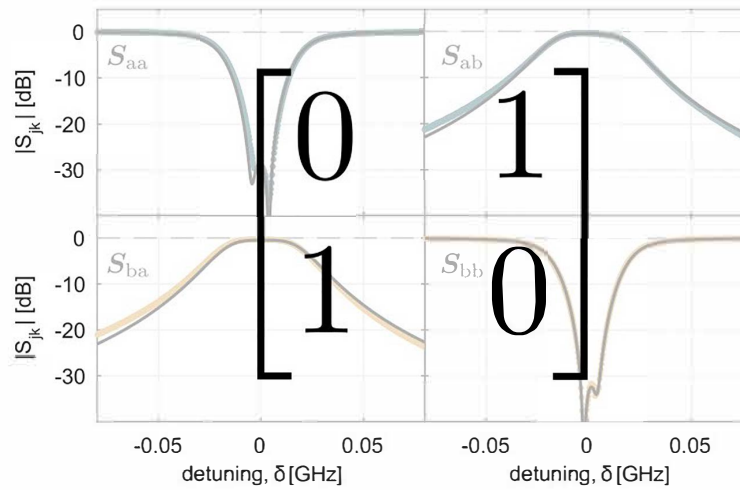
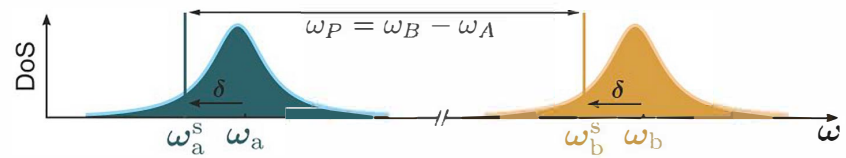


## Data 2-mode Frequency Conversion

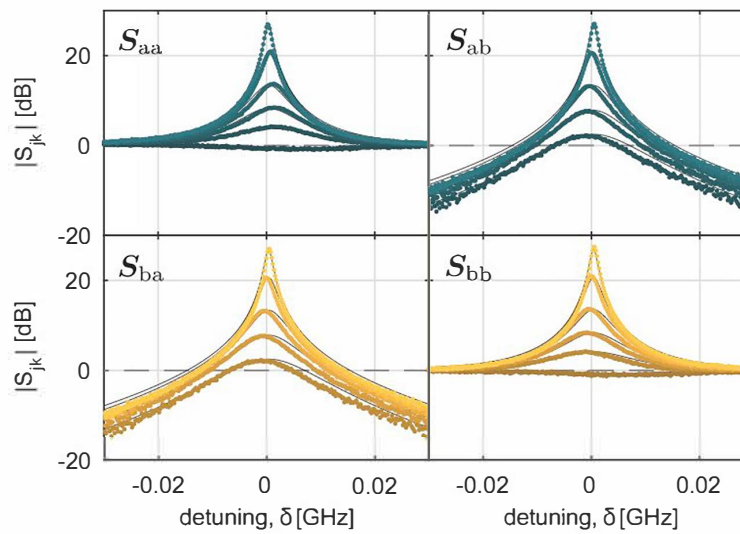
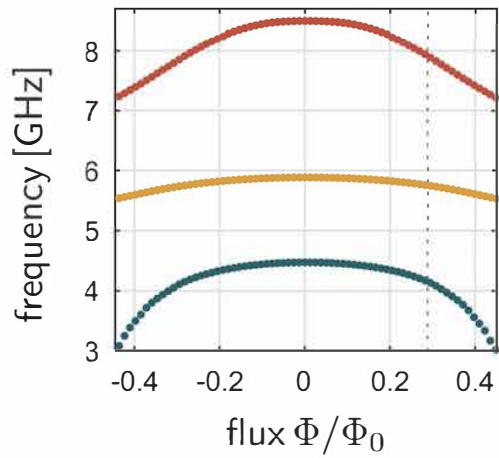
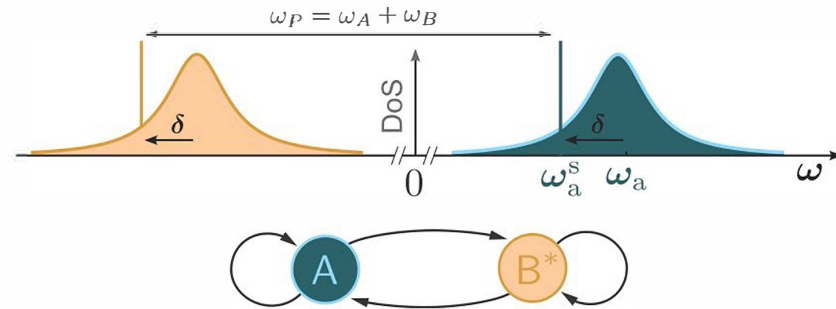
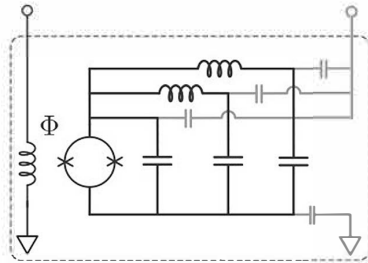


$$|S_{BA}| \approx -0.5 \text{ dB}$$

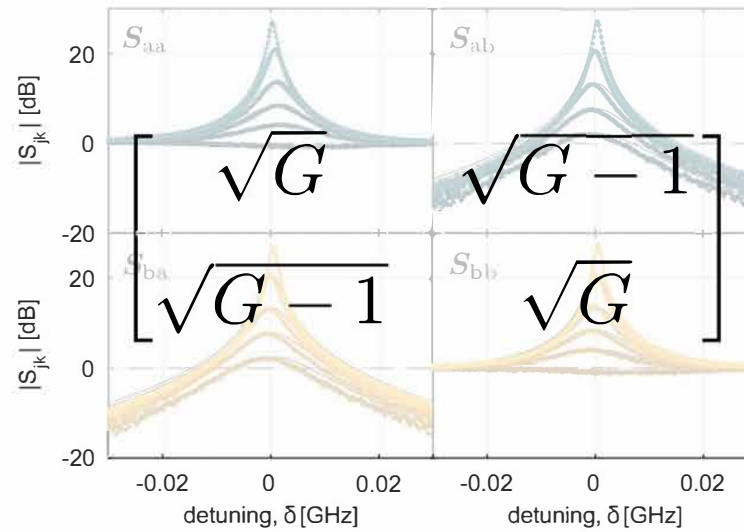
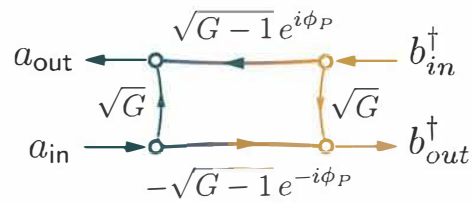
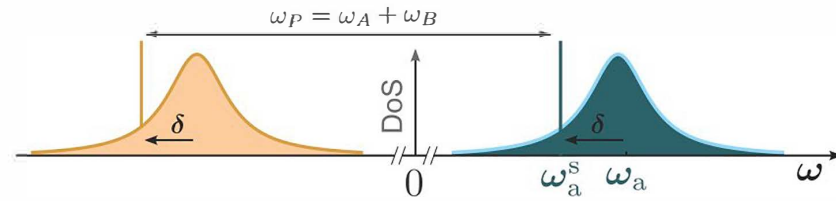
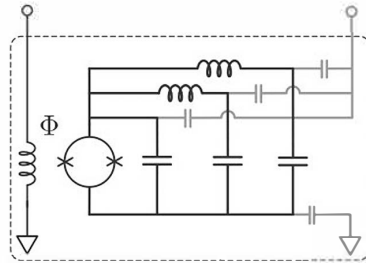
$$|S_{AA}|, |S_{BB}| < -30 \text{ dB}$$



## Data 2-mode amplification [“non-degenerate”]

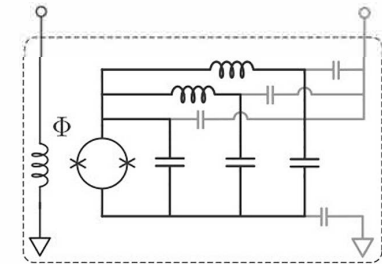
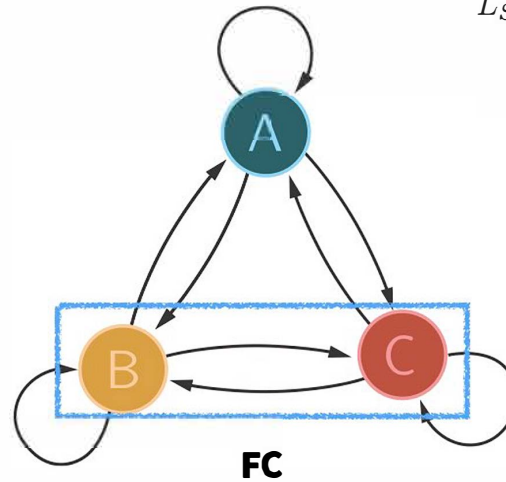
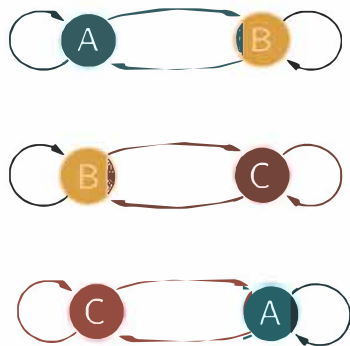


## Data 2-mode amplification [“non-degenerate”]



## Data 3-mode Frequency Circulation

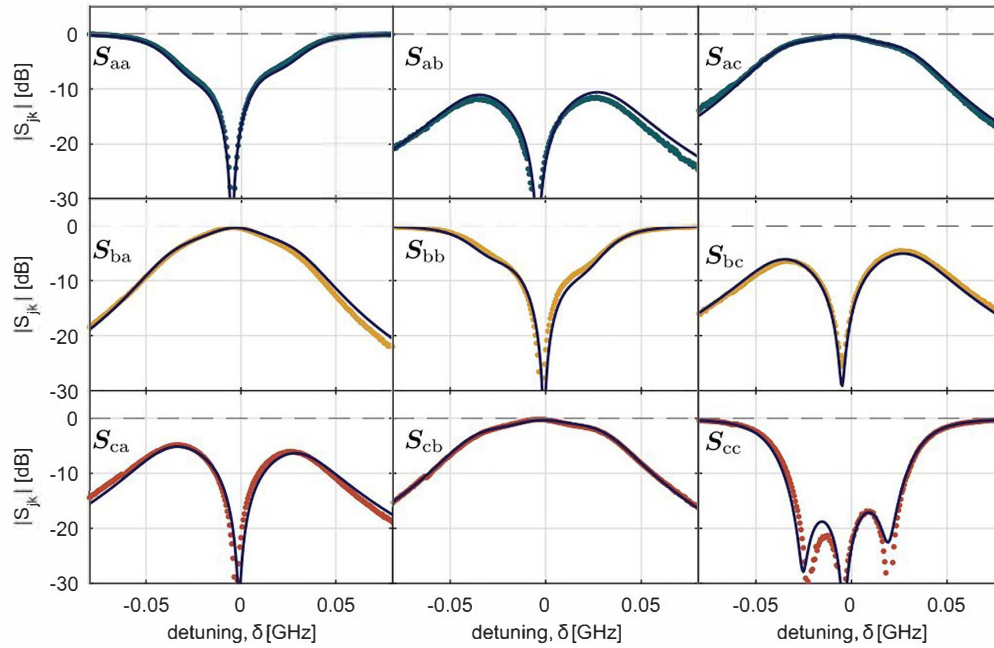
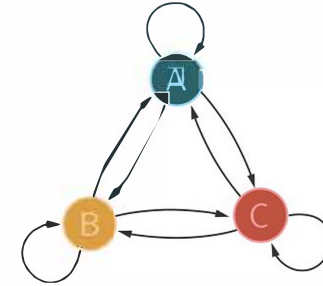
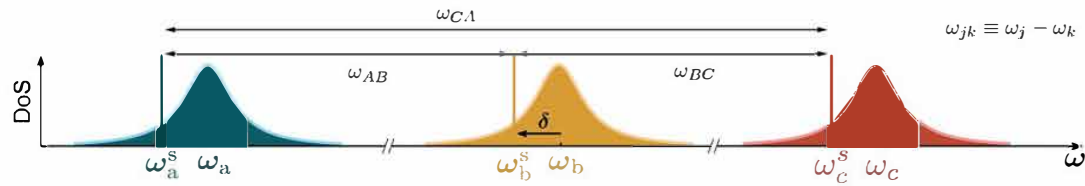
$$\omega_P = |\omega_j - \omega_k|$$



$$L_{SQ} = L_{SQ,0} + \delta L_{AB} \cos(|\omega_A - \omega_B|t + \phi_{AB}) \\
 + \delta L_{AC} \cos(|\omega_A - \omega_C|t + \phi_{AC}) \\
 + \delta L_{BC} \cos(|\omega_B - \omega_C|t + \phi_{BC})$$

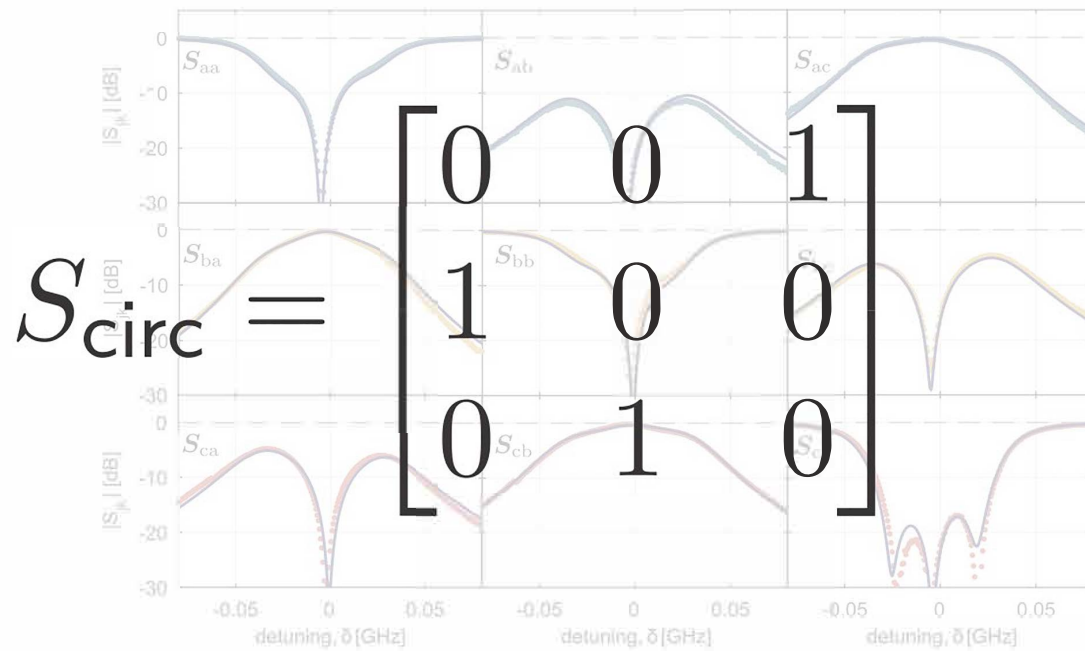
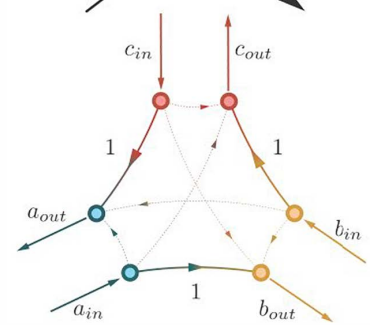
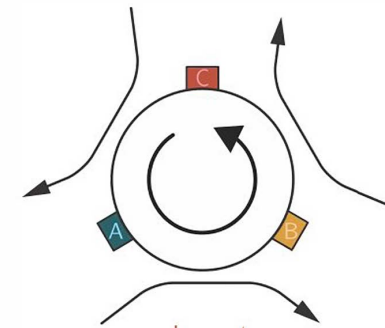
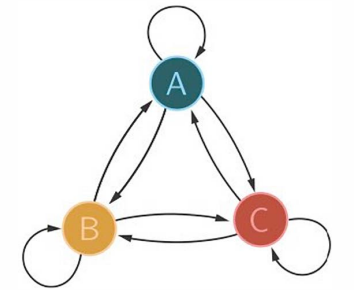
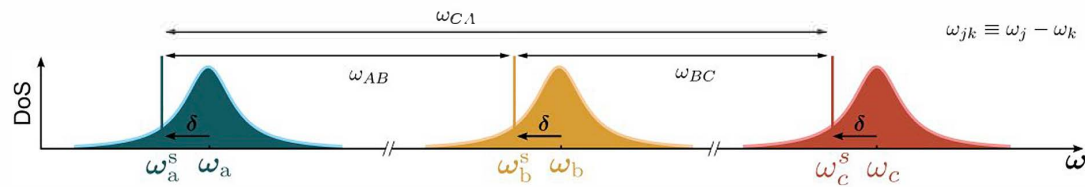
see *F Lecocq, et al., Phys. Rev. Applied* **7**, 024028 (2017)  
 see also *KM Sliwa, et al., Phys. Rev. X* **5**, 041020 (2015)

## Data 3-mode Frequency Circulation



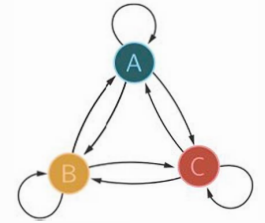


## Data 3-mode Frequency Circulation



## Data 3-mode Frequency Circulation

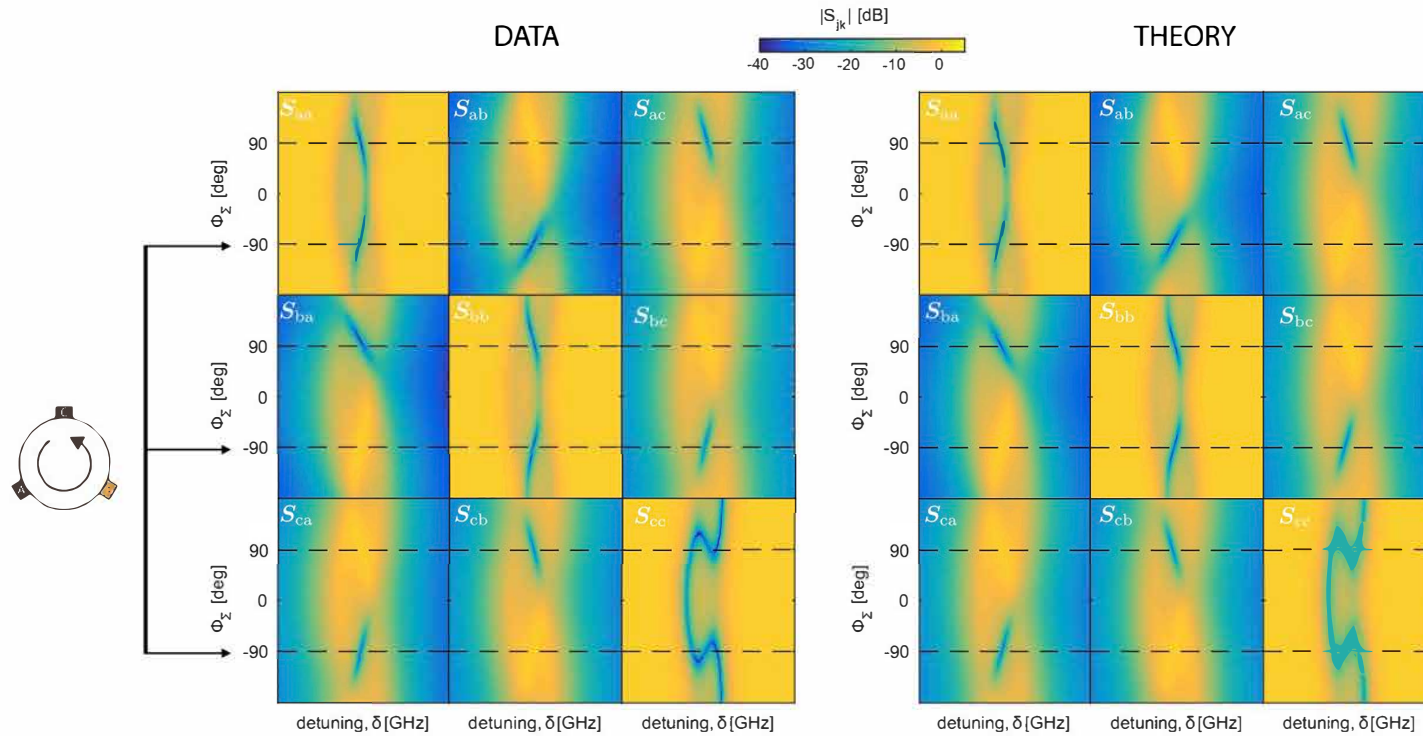
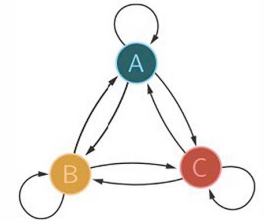
**Loop phase dependence**  $\phi_{\Sigma} \equiv \phi_{AB} + \phi_{AC} + \phi_{BC}$



$$\begin{aligned} L_{SQ} = & L_{SQ,0} + \delta L_{AB} \cos(|\omega_A - \omega_B|t + \phi_{AB}) \\ & + \delta L_{AC} \cos(|\omega_A - \omega_C|t + \phi_{AC}) \\ & + \delta L_{BC} \cos(|\omega_B - \omega_C|t + \phi_{BC}) \end{aligned}$$

## Data 3-mode Frequency Circulation

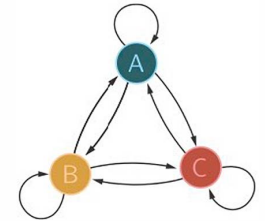
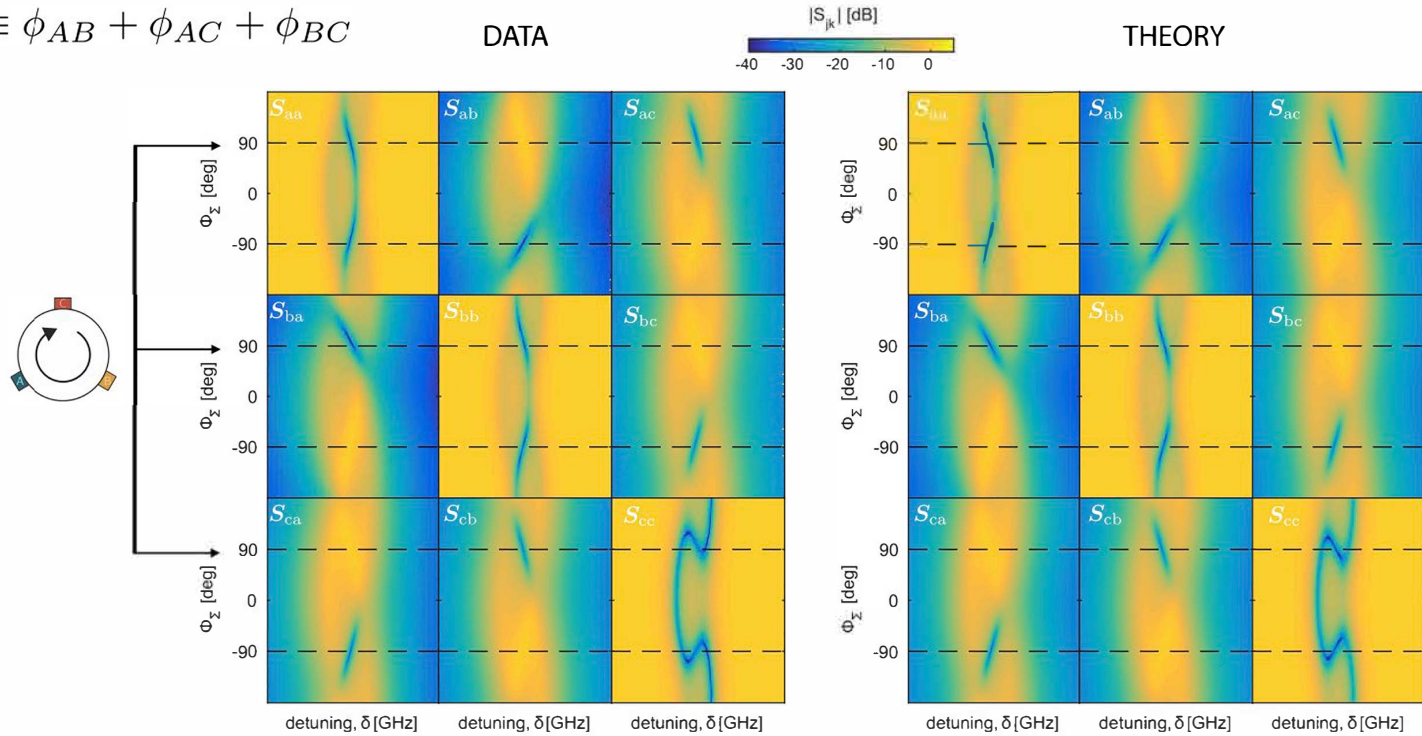
**Loop phase dependence**  $\phi_{\Sigma} \equiv \phi_{AB} + \phi_{AC} + \phi_{BC}$



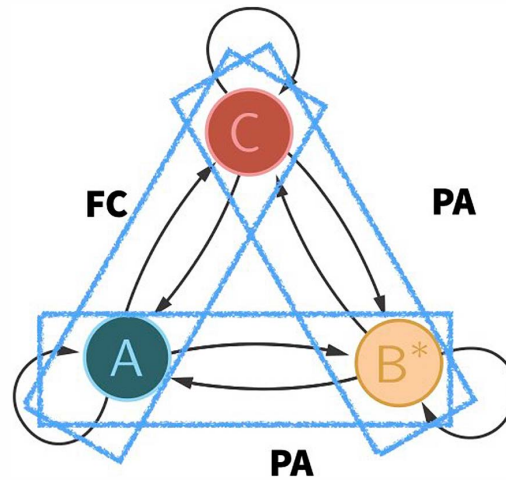
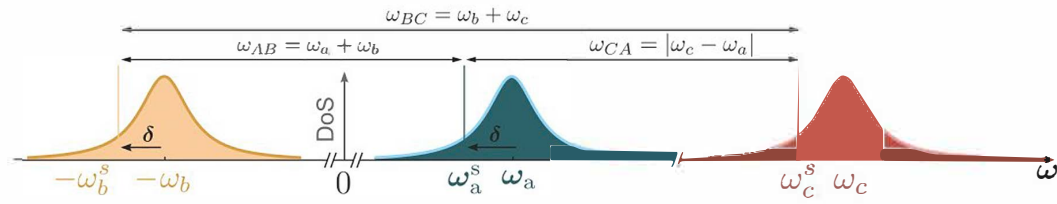
## Data 3-mode Frequency Circulation

**Loop/pump phase changes circulation sense**

$$\phi_{\Sigma} \equiv \phi_{AB} + \phi_{AC} + \phi_{BC}$$

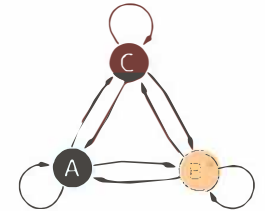
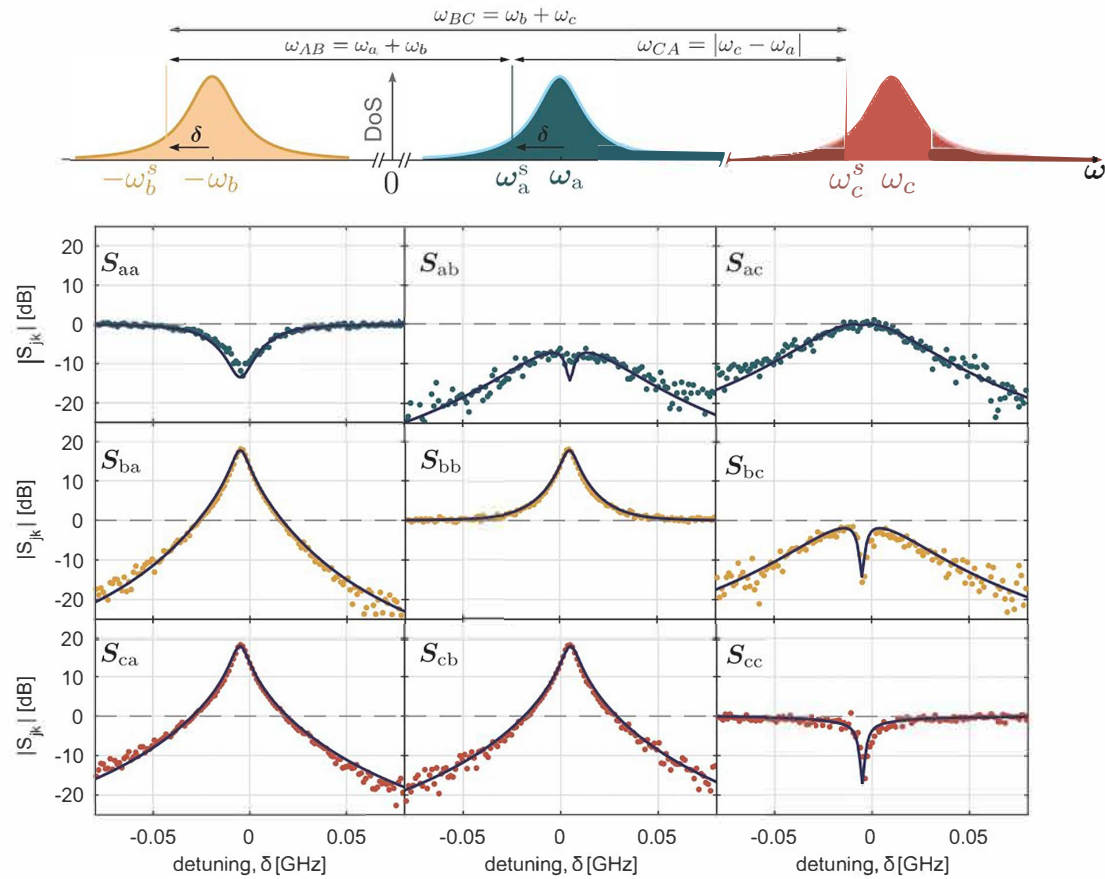


## Data 3-mode Frequency Amplification

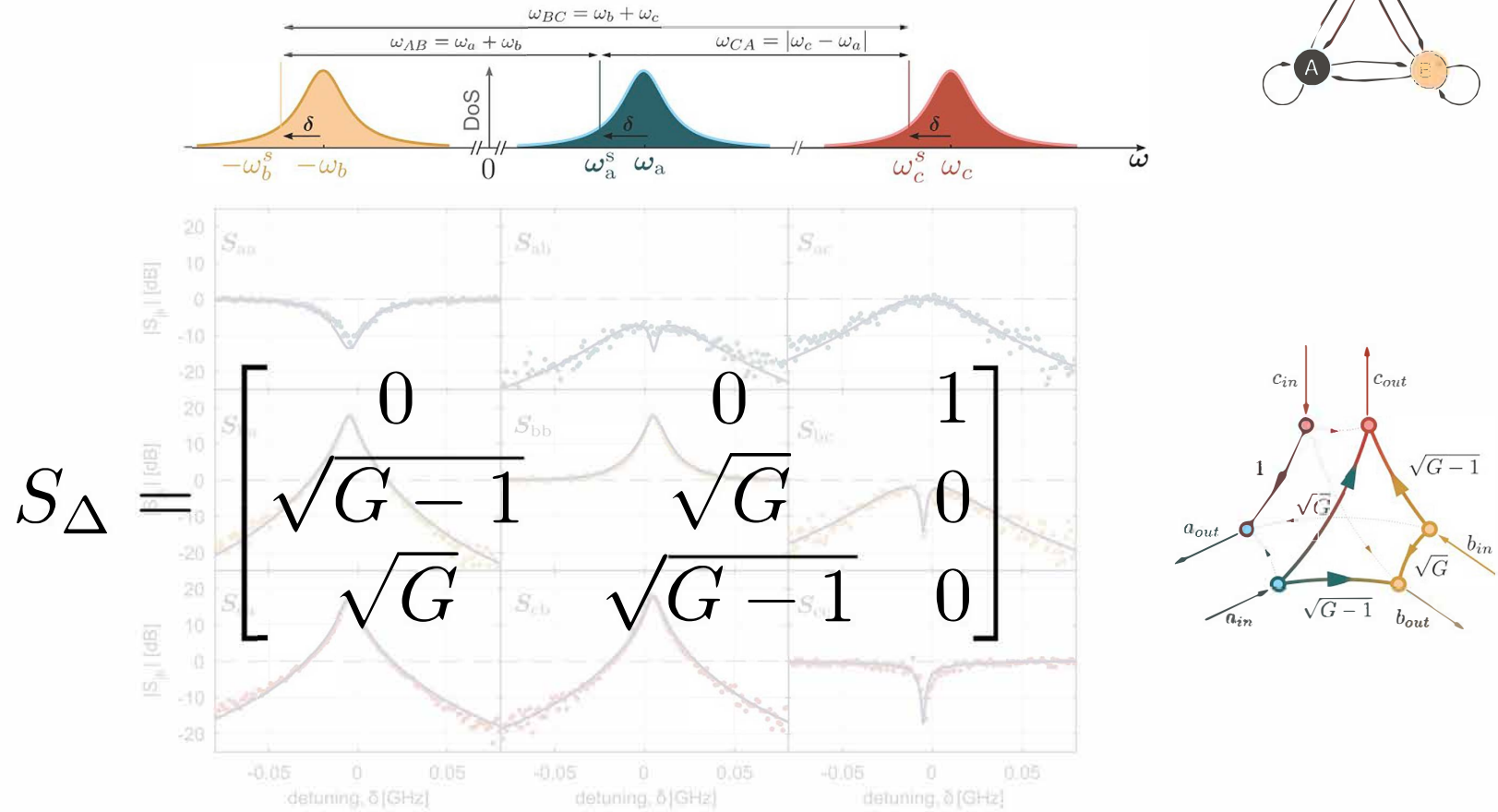


see *F Lecocq, et al., Phys. Rev. Applied 7, 024028 (2017)*  
see also *KM Sliwa, et al., Phys. Rev. X 5, 041020 (2015)*

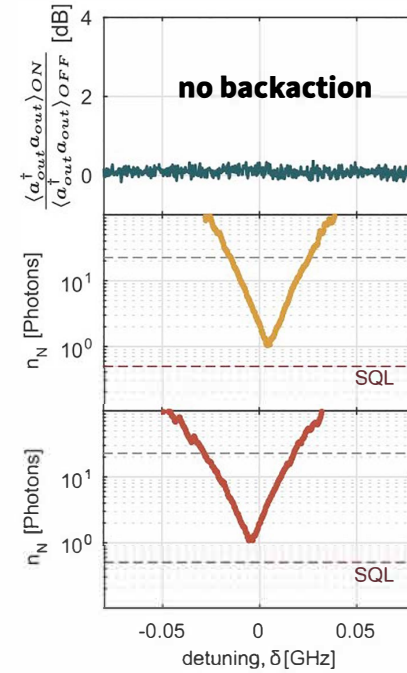
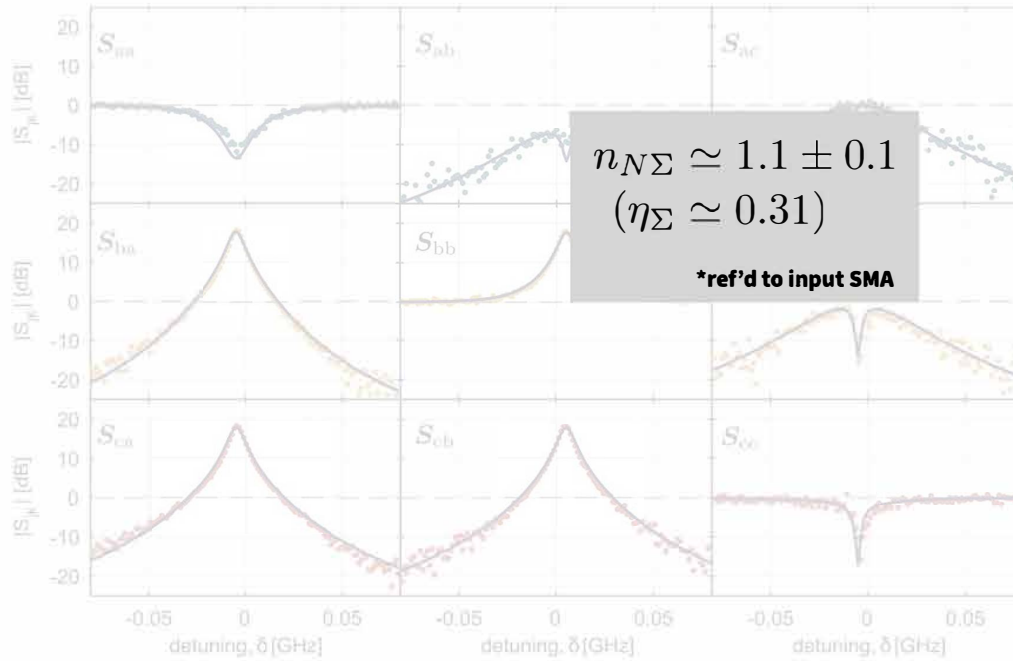
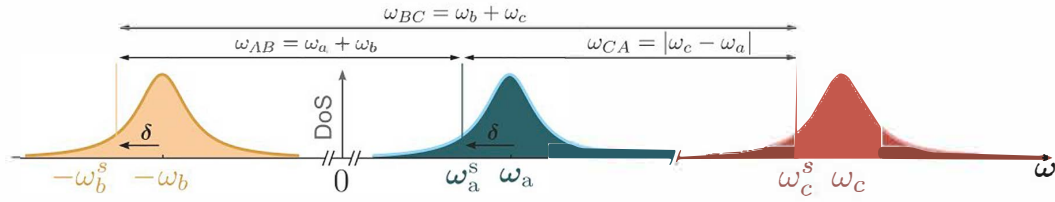
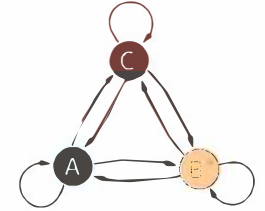
## Data 3-mode Frequency Amplification



## Data 3-mode Frequency Amplification



## Data 3-mode Frequency Amplification

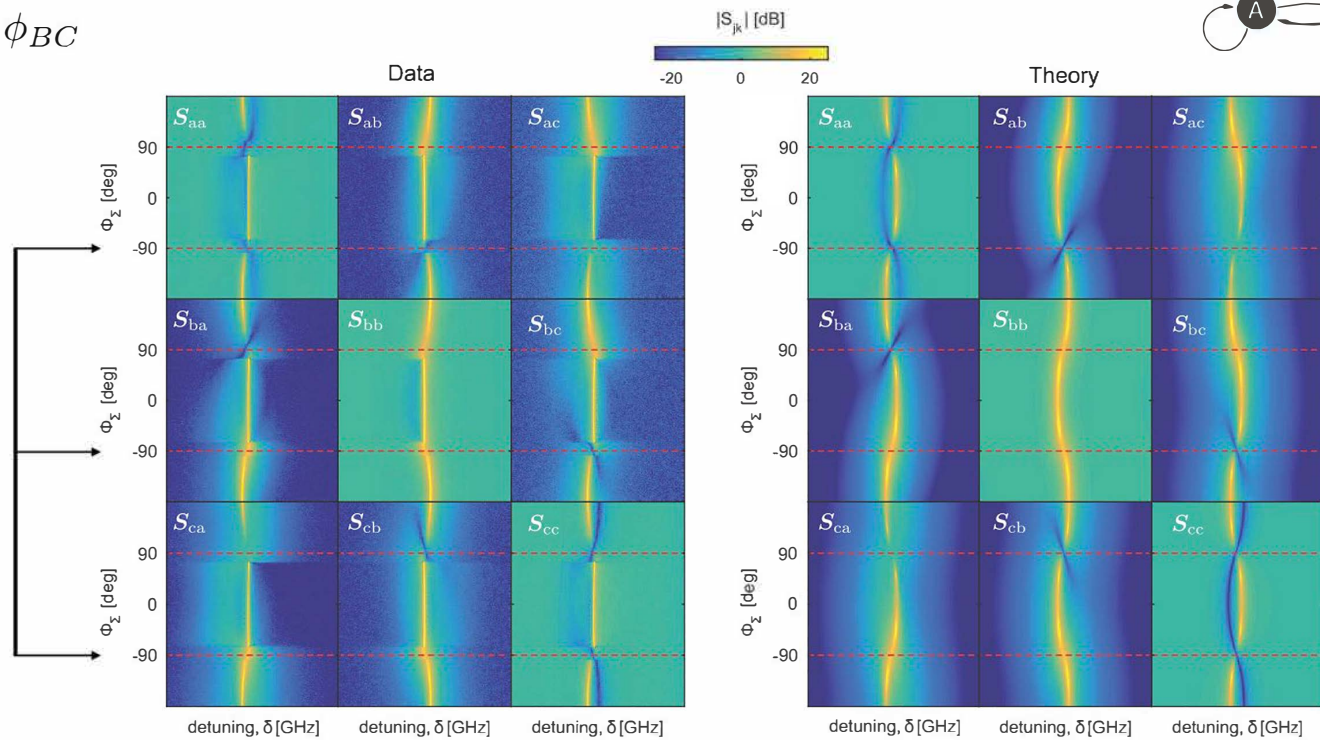
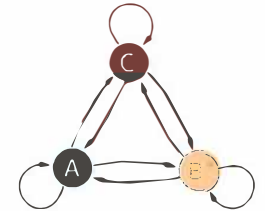
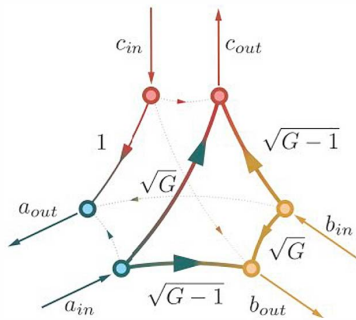




## [Data] 3-mode frequency amplification

### Loop phase dependence

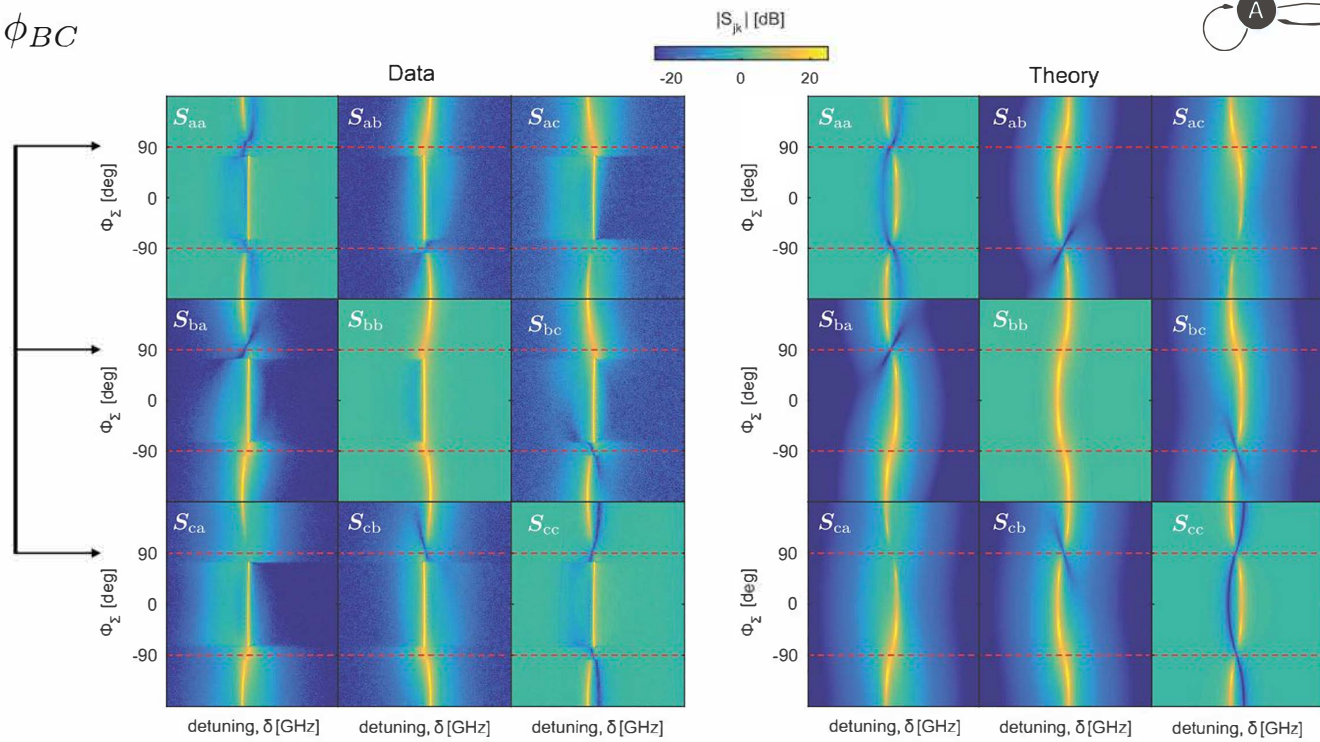
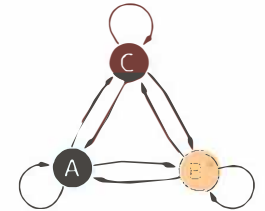
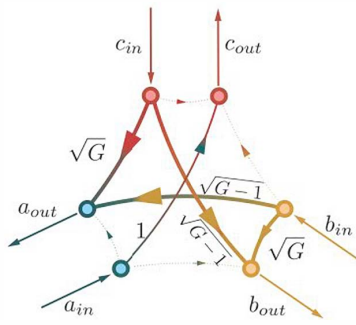
$$\phi_{\Sigma} \equiv \phi_{AB} + \phi_{AC} + \phi_{BC}$$



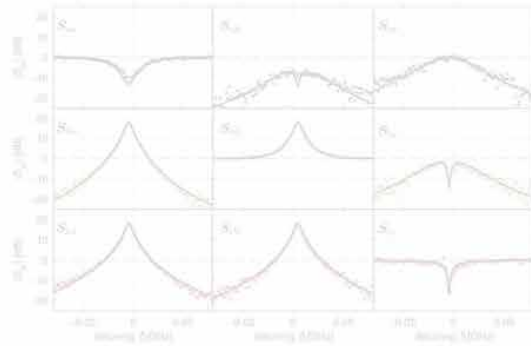
## Data 3-mode Frequency Amplification

### Loop phase dependence

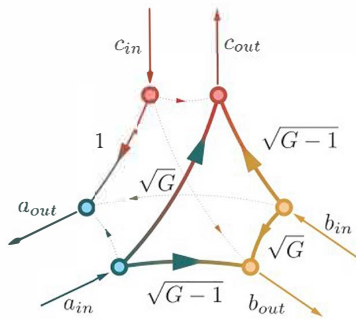
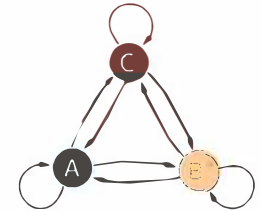
$$\phi_{\Sigma} \equiv \phi_{AB} + \phi_{AC} + \phi_{BC}$$



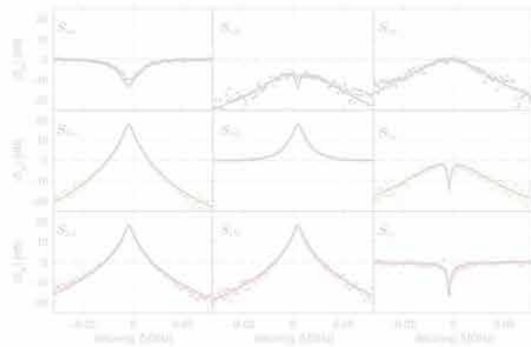
### Data 3-mode Frequency Amplification



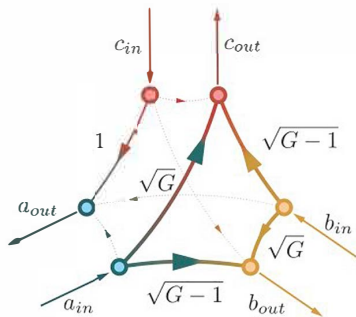
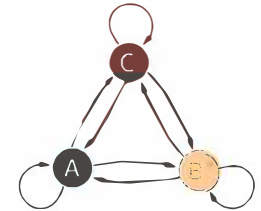
$$S_{\Delta} = \begin{bmatrix} 0 & 0 & 1 \\ \sqrt{G-1} & \sqrt{G} & 0 \\ \sqrt{G} & \sqrt{G-1} & 0 \end{bmatrix}$$



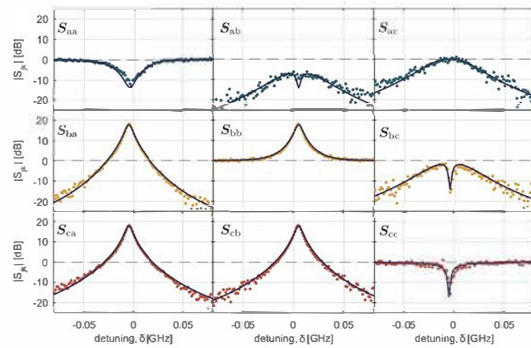
### Data 3-mode Frequency Amplification



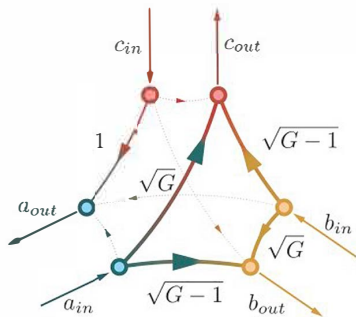
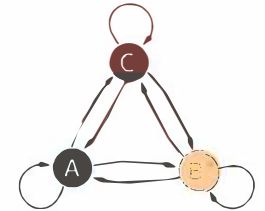
$$S_{\Delta} = \begin{bmatrix} 0 & 0 & 1 \\ \sqrt{G-1} & \sqrt{G} & 0 \\ \sqrt{G} & \sqrt{G-1} & 0 \end{bmatrix}$$



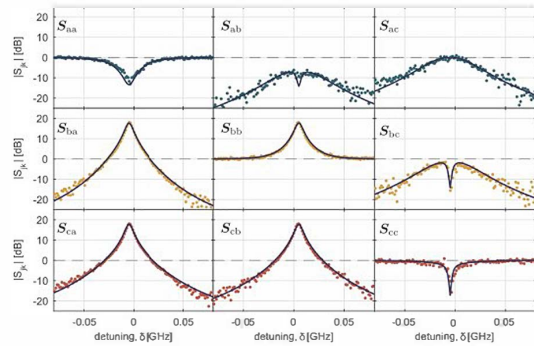
## Data 3-mode Frequency Amplification



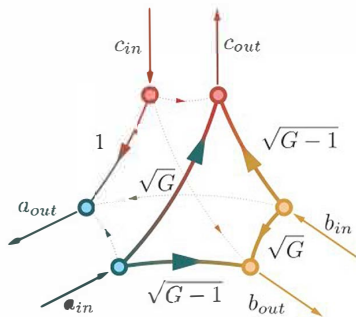
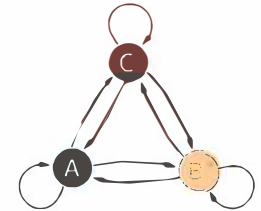
$$S_{\Delta} = \begin{bmatrix} 0 & 0 & 1 \\ \sqrt{G-1} & \sqrt{G} & 0 \\ \sqrt{G} & \sqrt{G-1} & 0 \end{bmatrix}$$



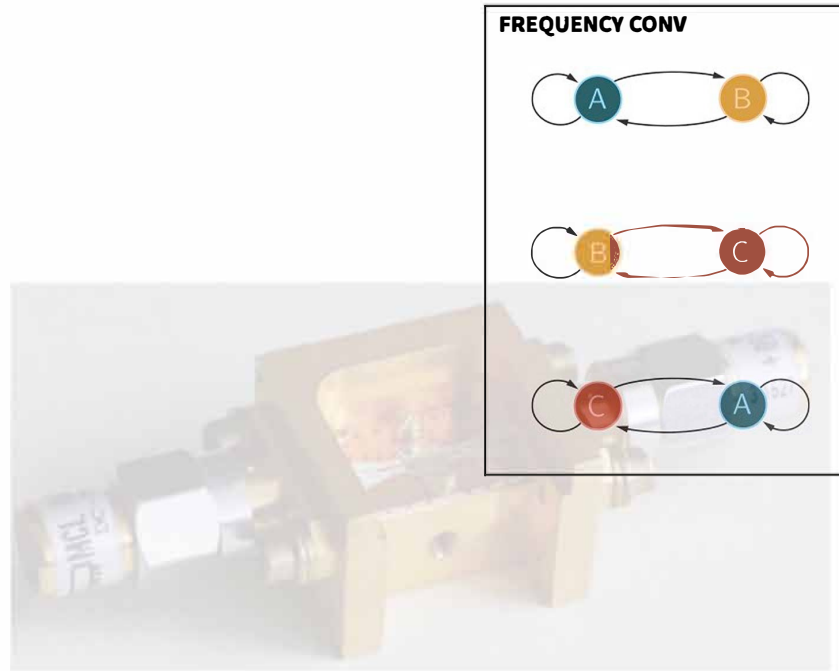
## Data 3-mode Frequency Amplification



$$S_{\Delta} = \begin{bmatrix} 0 & 0 & 1 \\ \sqrt{G-1} & \sqrt{G} & 0 \\ \sqrt{G} & \sqrt{G-1} & 0 \end{bmatrix}$$

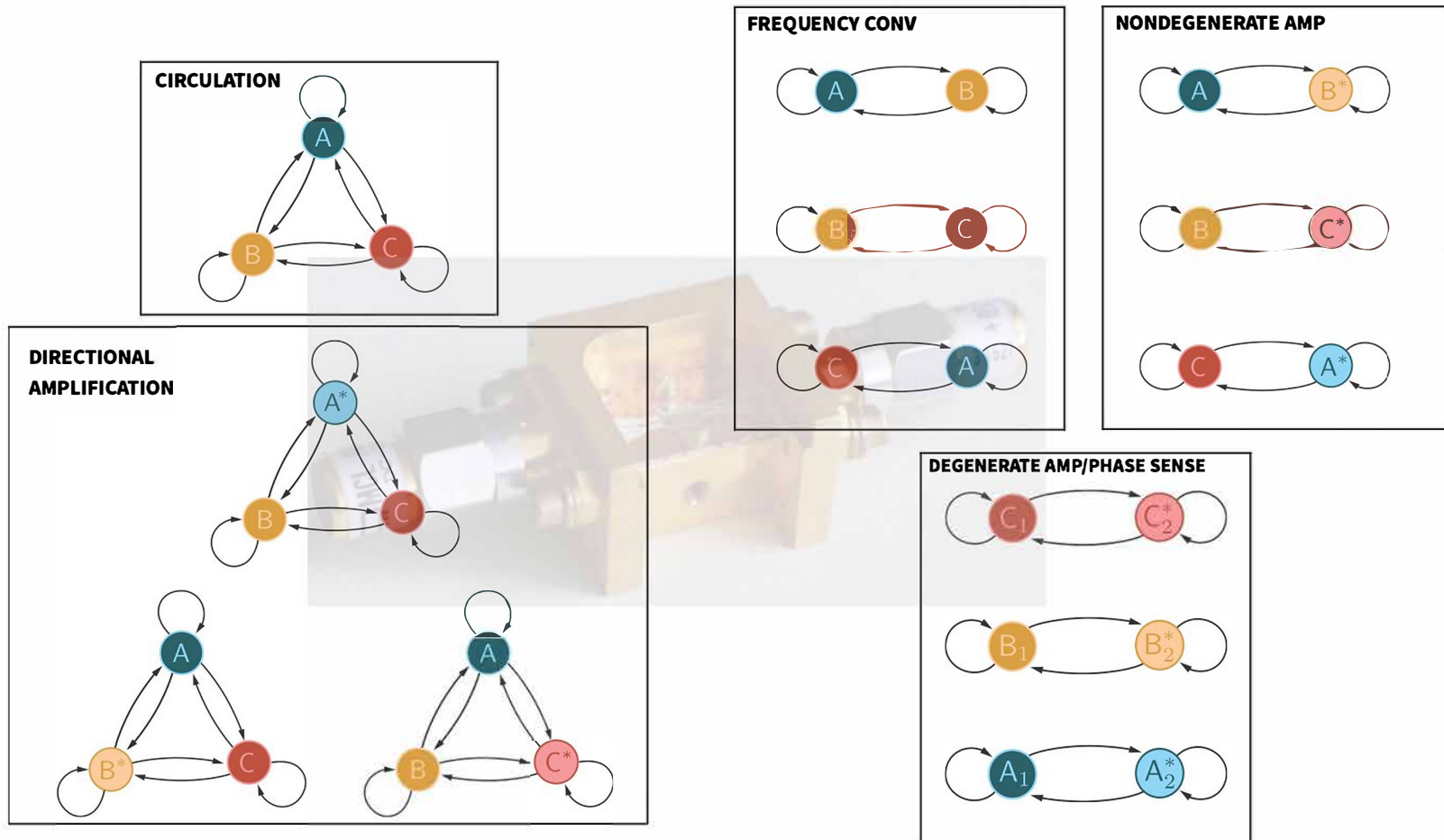


## Programmability = Field Programmable Josephson Amplifier (FPJA)



see F Lecocq, et al., *Phys. Rev. Applied* **7**, 024028 (2017)

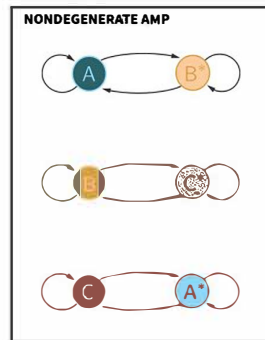
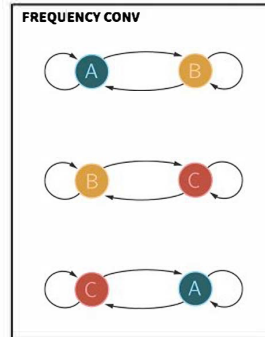
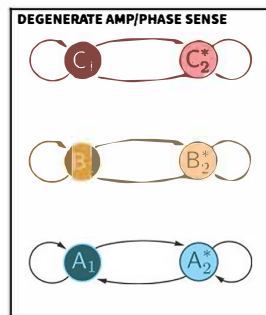
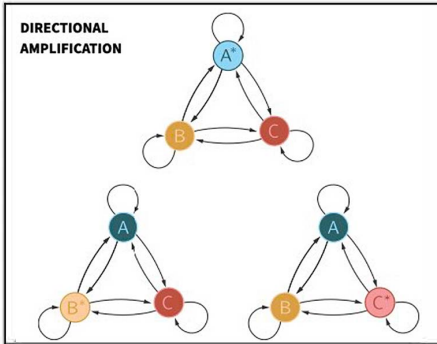
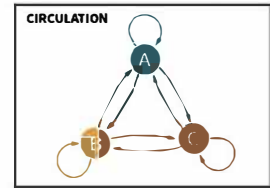
## Programmability = Field Programmable Josephson Amplifier (FPJA)



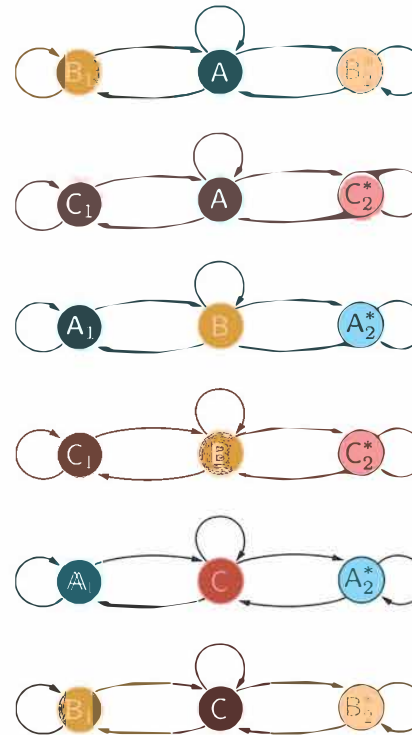
see F Lecocq, et al., *Phys. Rev. Applied* **7**, 024028 (2017)



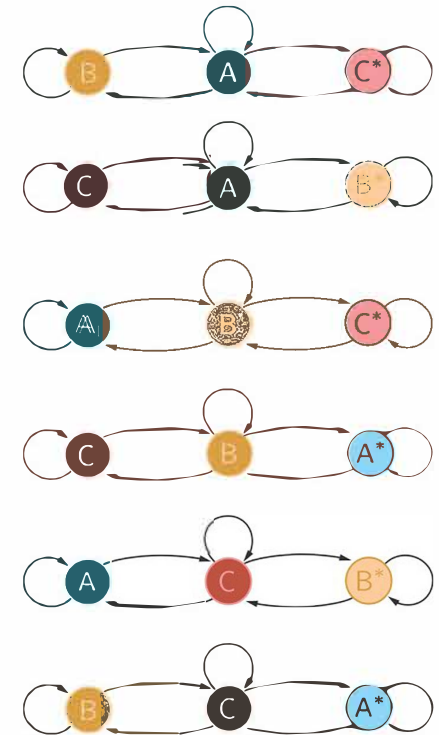
## Programmability = Field Programmable Josephson Amplifier (FPJA)



**FLAT-TOP NONDEGEN AMP**



**NO GAIN-BANDWIDTH AMP**

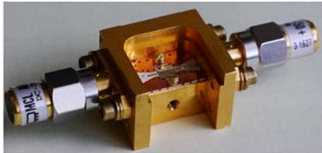


see *F Lecocq, et al., Phys. Rev. Applied 7, 024028 (2017)*

## OUTLOOK

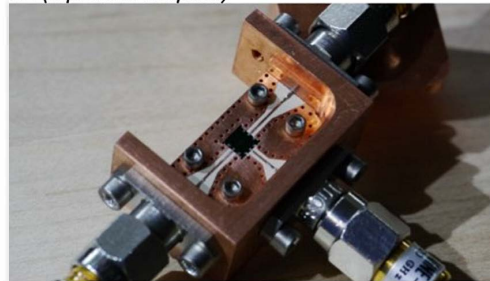
### discrete devices *2+ port devices*

v1



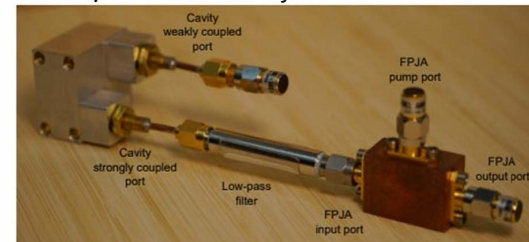
*Phys. Rev. Applied* **7**, 024028 (2017)

v2 (diplexed outputs)



*Phys. Rev. Applied* **13**, 044005 (2020)

v2 + qubit readout cavity



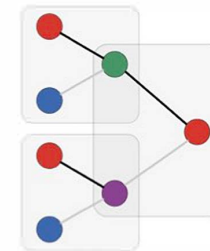
*F. Lecocq, et al. arXiv:2009.08863 (2020)*

### on-chip integration

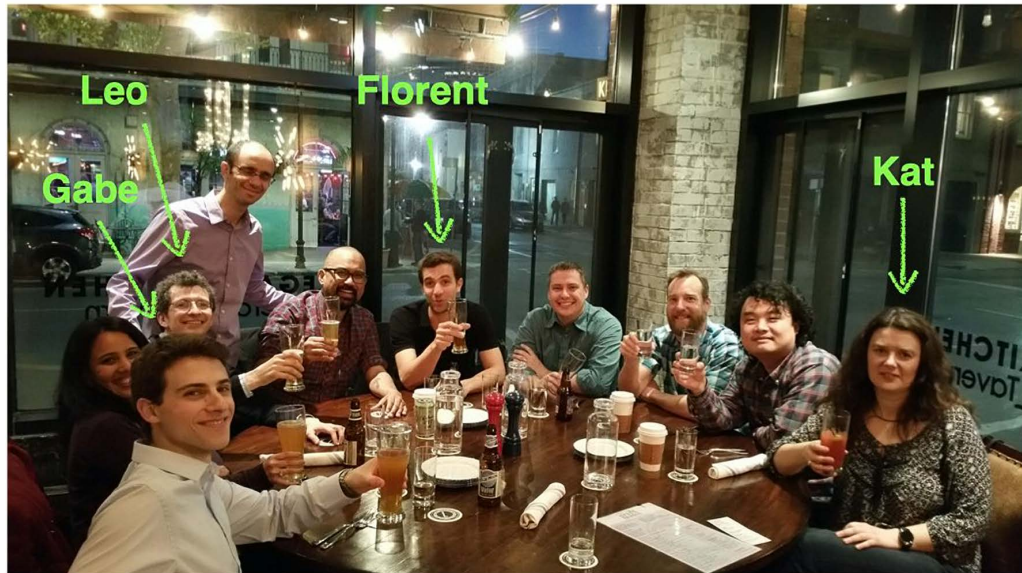
- *flip chip couple FPJA-type circuits to qubit+resonator circuits*
- *use resources already on chip (resonators, SQUIDs, JJ nonlinearity) to build nonlinearity into*

### other applications

- sequenced coupling*  $\Rightarrow$
- *tunable isolation & switch networks*
  - *hyper-local amplification and routing on chip*



# Thanks!



## **Boulder Advanced Microwave Photonics Group 686.05**

<https://www.nist.gov/programs-projects/advanced-microwave-photonics>

### **PIs: J. Aumentado**

Ray Simmonds  
John Teufel

### **PDs: Kat Cicak**

Bastien Dassonneville  
Bradley Hauer  
Xiaoyue Jin  
Shlomi Kotler (now at Hebrew U.)

### **Florent Lecocq**

Taewan Noh

**Leonardo Ranzani** (now at Raytheon/BBN)

### **Students: Benton Miller**

**Gabriel Peterson** (now at PsiQuantum)

# Relevant Publications

## **Graph-based analysis of nonreciprocity in coupled-mode systems**

L Ranzani & J Aumentado

*New Journal of Physics* **17**, 23024, (2015)

## **Nonreciprocal microwave signal processing with a field-programmable josephson amplifier**

F Lecocq, L Ranzani, GA Peterson, K Cicak, RW Simmonds, JD Teufel, & J Aumentado

*Physical Review Applied* **7**, 024028 (2017)

## **Microwave measurement beyond the quantum limit with a nonreciprocal amplifier**

F Lecocq, L Ranzani, GA Peterson, K Cicak, A Metelmann, S Kotler, RW Simmonds, JD Teufel, & J Aumentado

*Physical Review Applied* **13**, 044005 (2020)

## **Efficient qubit measurement with a nonreciprocal microwave amplifier**

F Lecocq, L Ranzani, GA Peterson, K Cicak, XY Jin, RW Simmonds, JD Teufel, & J Aumentado

*arXiv:2009.08863* (2020)

## **REVIEWS**

### **Circulators at the quantum limit: recent realizations of quantum-limited superconducting circulators and related approaches**

L Ranzani, J Aumentado

*IEEE Microwave Magazine* **20**, 112 (2019)

### **Superconducting Parametric Amplifiers: The State of the Art in Josephson Parametric Amplifiers**

J Aumentado

*IEEE Microwave Magazine* **21**, 45 (2020)

